

Welcome!

The program will begin soon.
You will not hear audio until we begin.

Multiphase Flow Measurement Sensing Domains, Part 1: Electromagnetics

Robert Adams, Aramco Americas: Aramco Research Center – Houston
September 6th, 2022



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Agenda

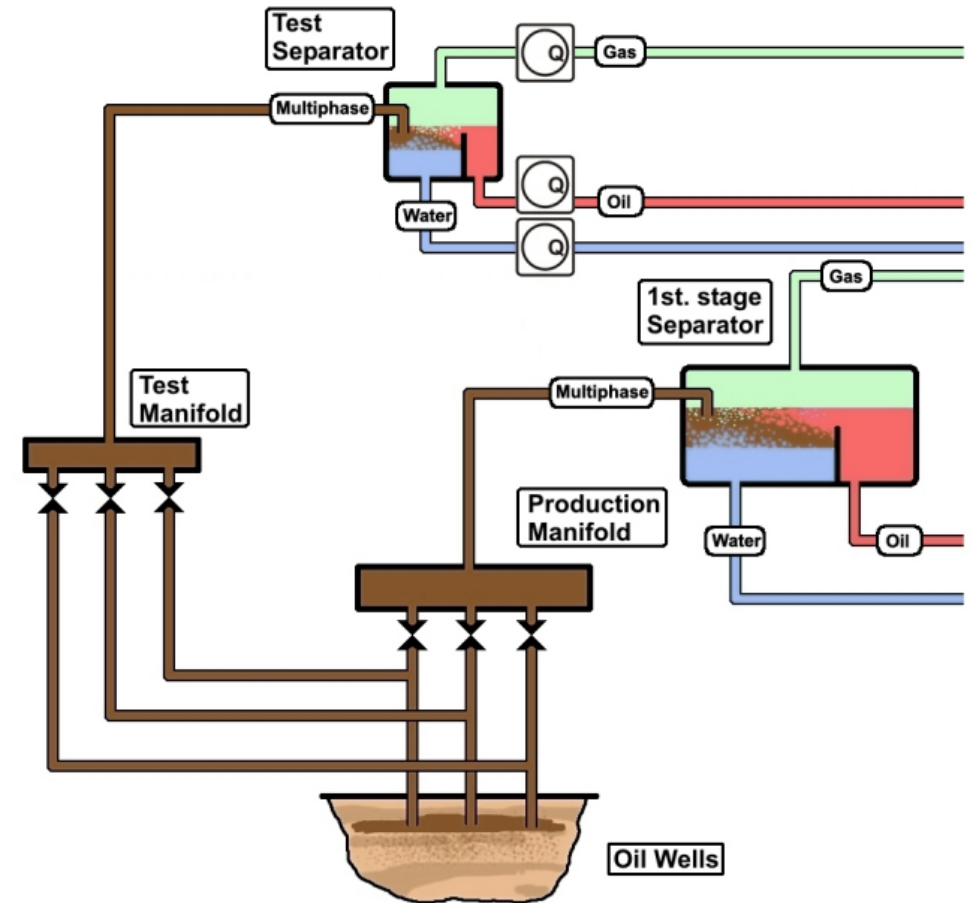


1. Multiphase Flow Meters (MPFMs) for the Oil & Gas Industry
2. Sensing Domains Overview
3. Electromagnetic Sensing Domains
 - i. Oil/Water/Gas Measurement Phenomena
 - ii. Phase Fraction Measurement Techniques
 - iii. Flow Rate Measurement Techniques
 - iv. Flow Regime Dependence
4. Conclusions & Acknowledgements



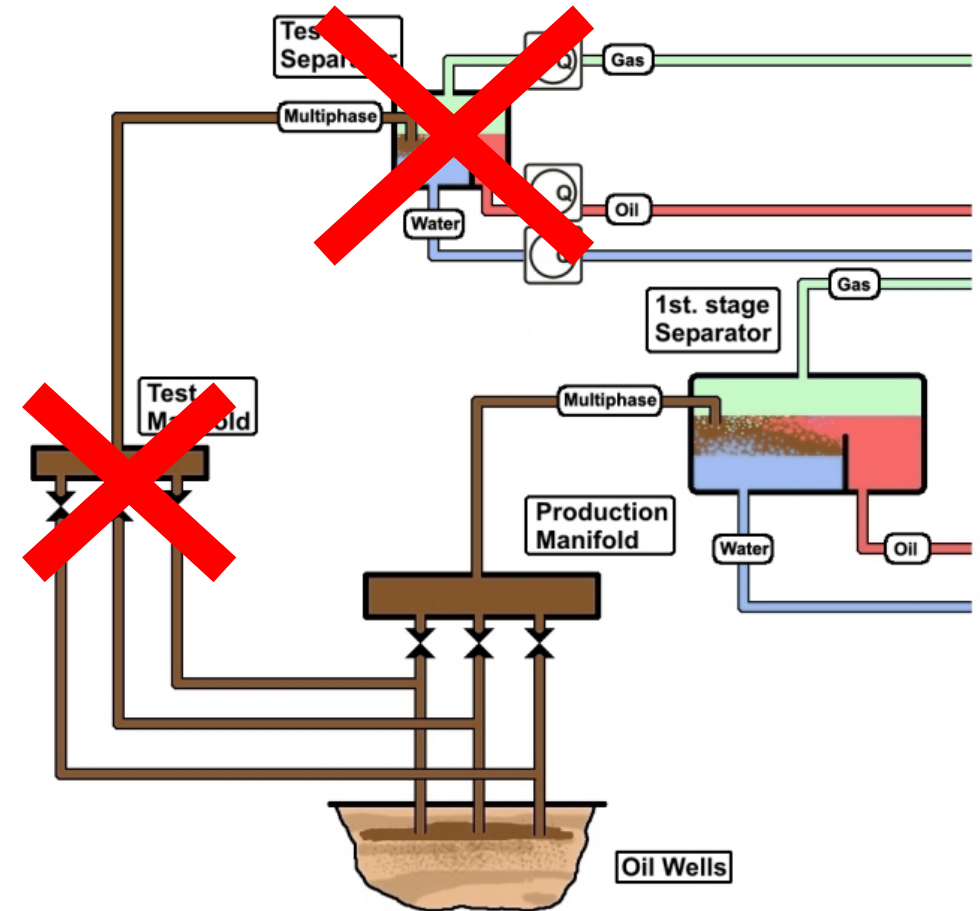
Multiphase Flow Background

- Multiphase Flow Meters (MPFMs)
 - Continuous measurements of oil/water/gas flow rates
 - Replace test separators
 - Increase production optimization & allocation
 - Decrease OPEX & HSE risk



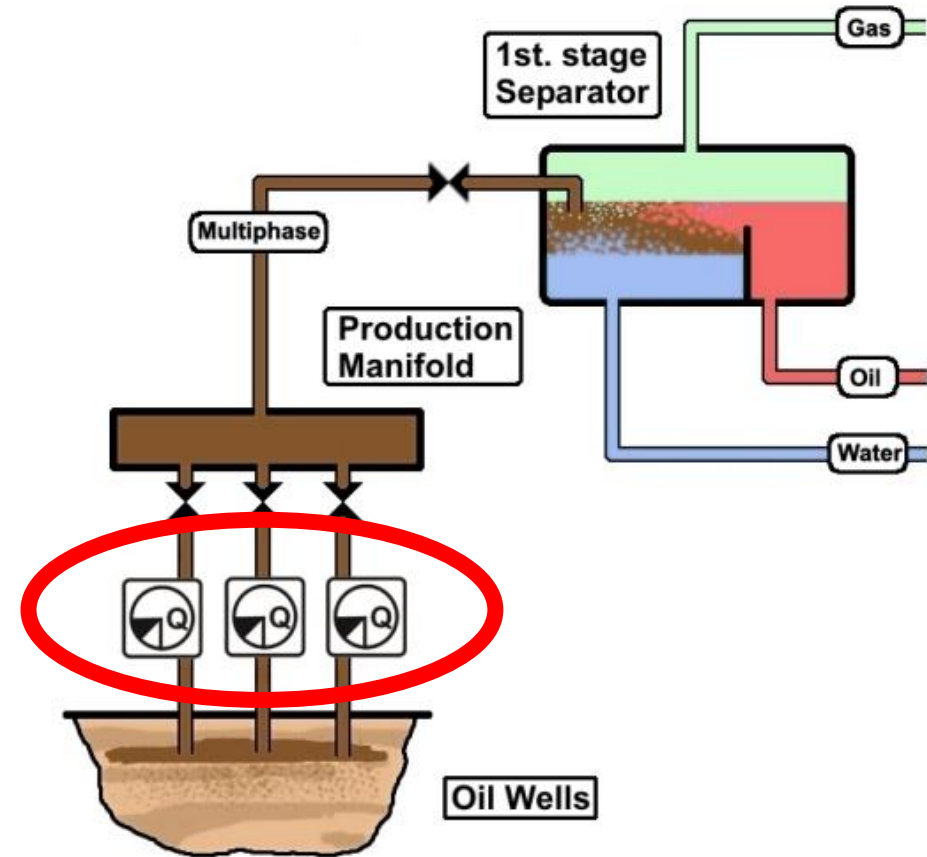
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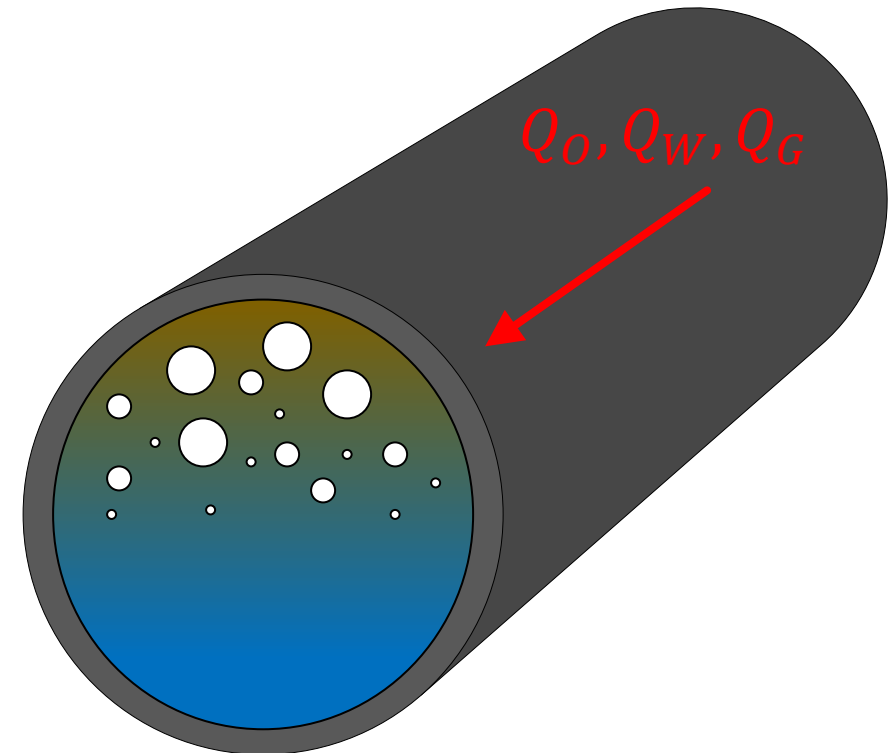
Multiphase Flow Background

- Flow rates of oil/water/gas
 - Three equations and three unknowns

$$Q_{TOT} = Q_O + Q_W + Q_G$$

$$S_1 = f_1(Q_O, Q_W, Q_G)$$

$$S_2 = f_2(Q_O, Q_W, Q_G)$$



Multiphase Flow Background

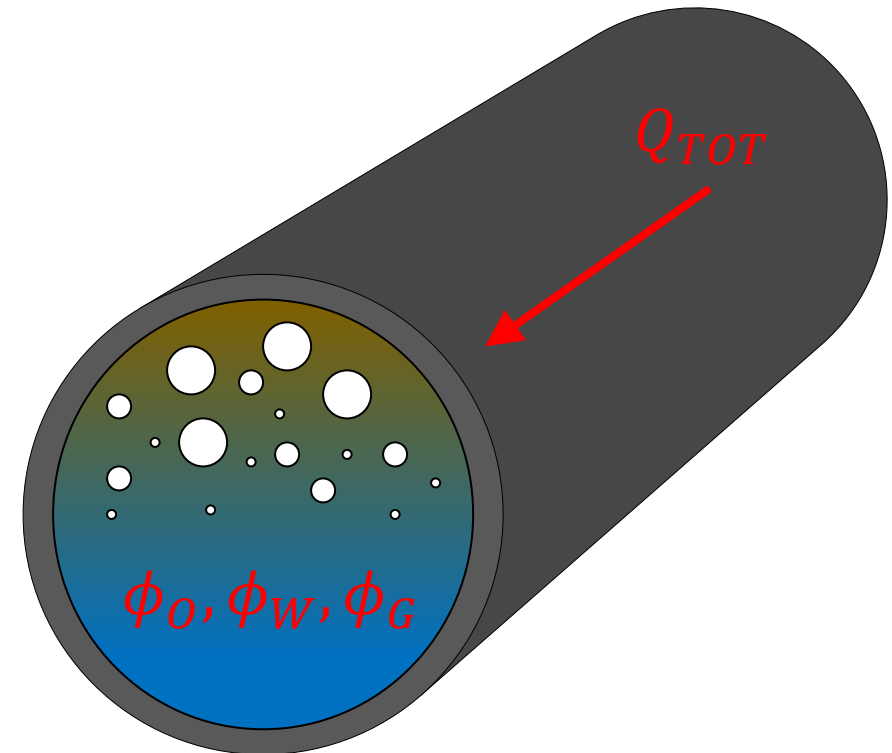
- Phase fractions of oil/water/gas and total flow rate
 - Four equations and four unknowns
 - Assumes no slip between phases

$$1 = \phi_O + \phi_W + \phi_G$$

$$S_1 = f_1(\phi_O, \phi_W, \phi_G)$$

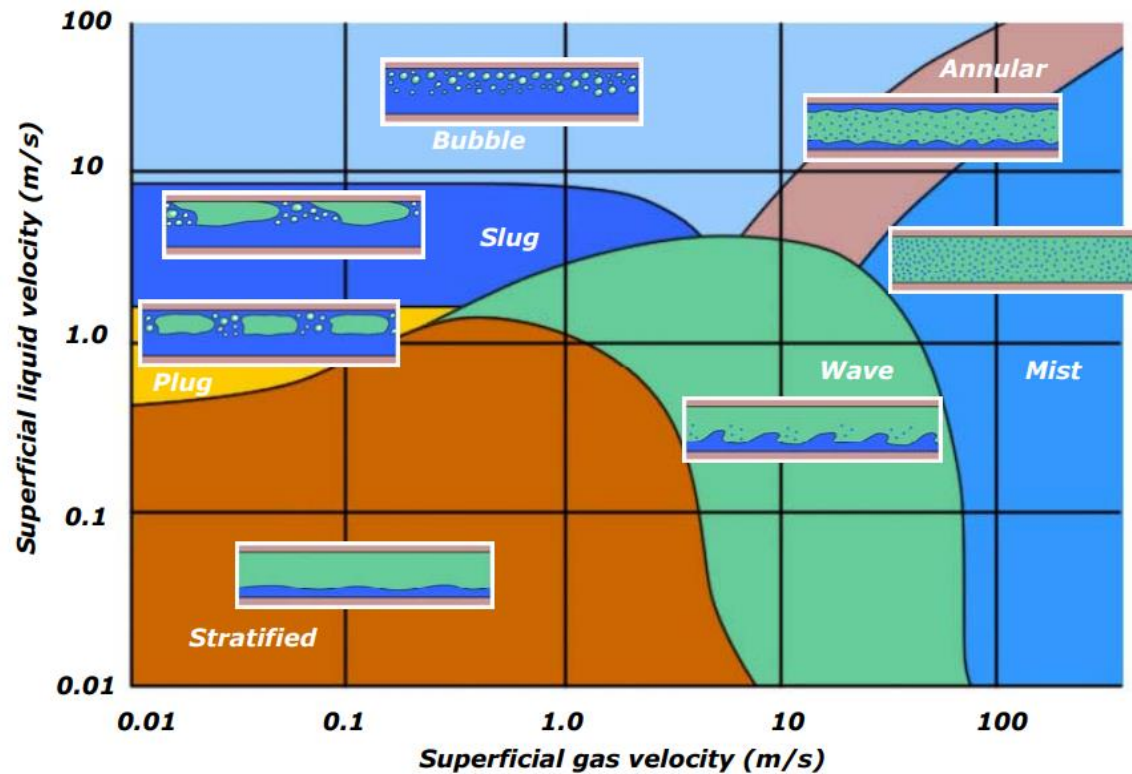
$$S_2 = f_2(\phi_O, \phi_W, \phi_G)$$

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$

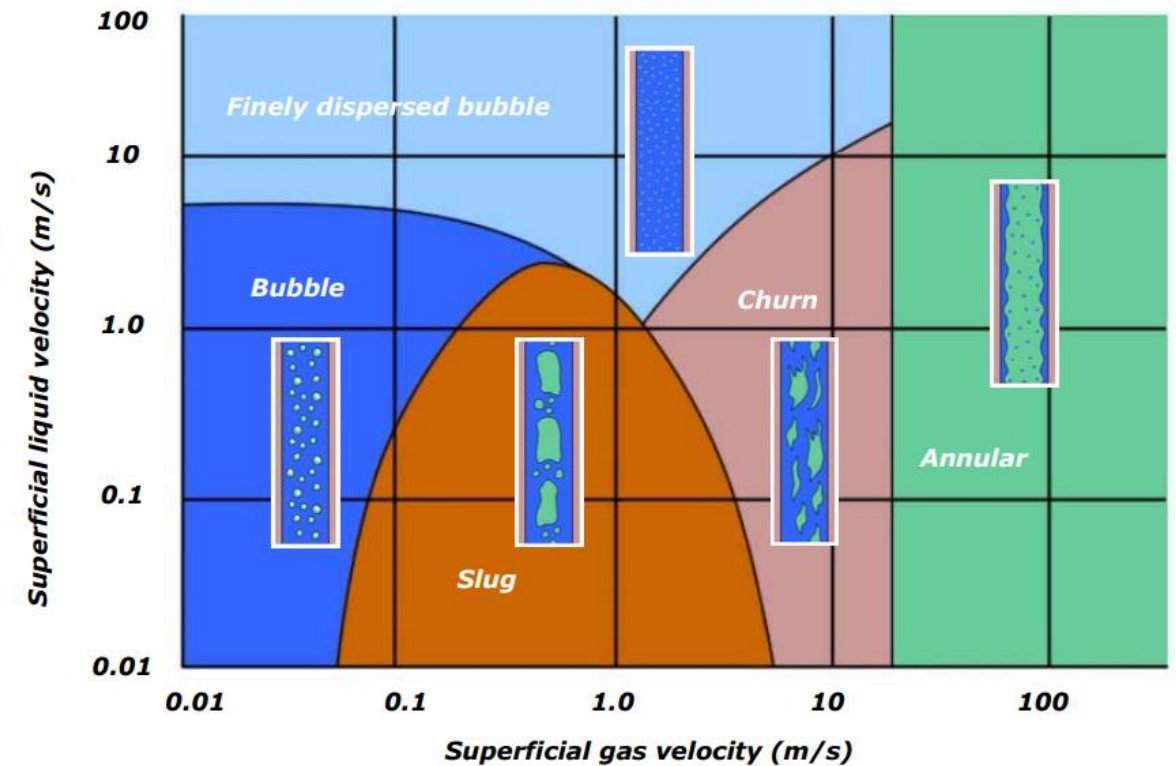


Multiphase Flow Background

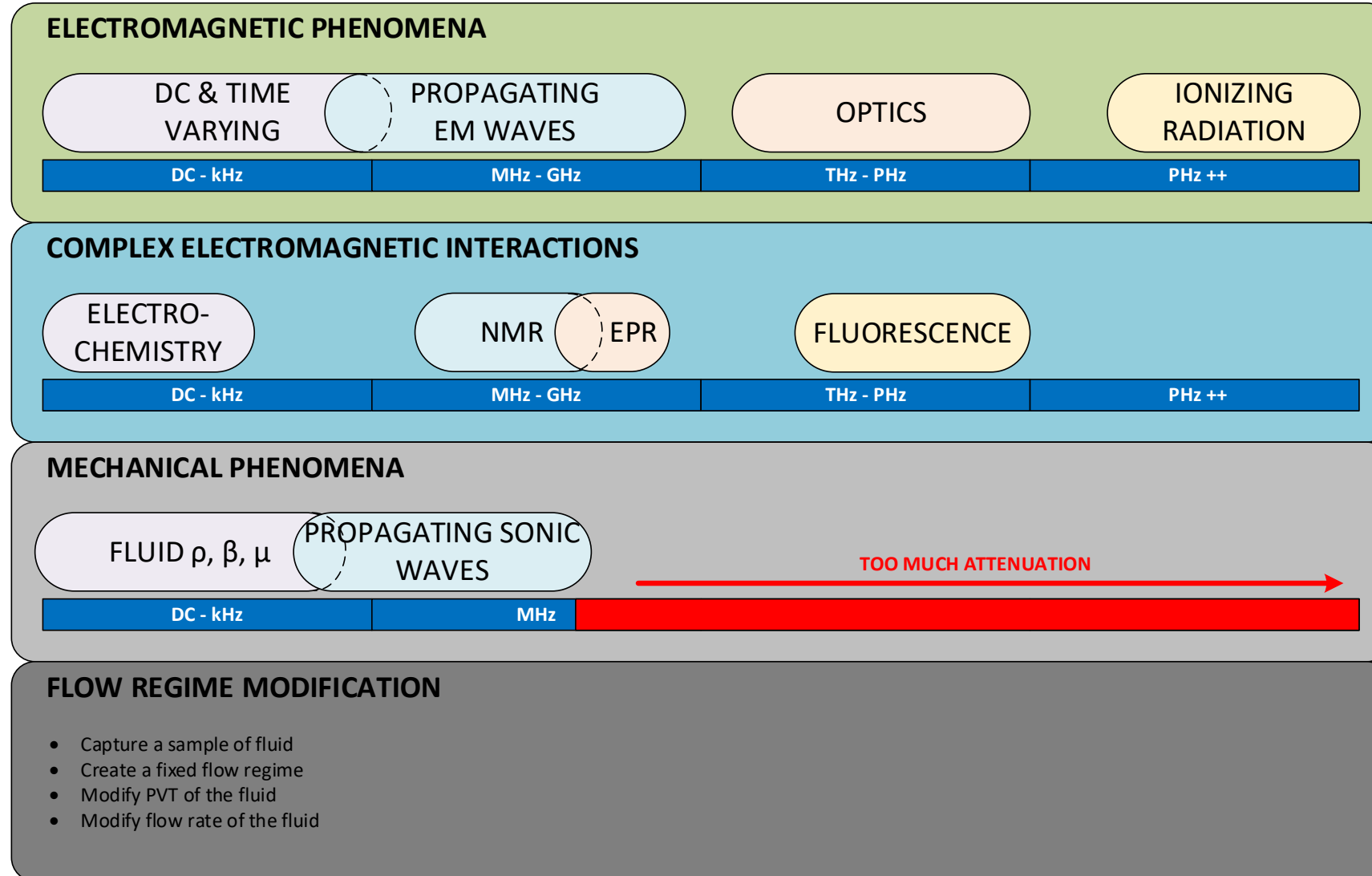
Horizontal Flow Regimes



Vertical Flow Regimes

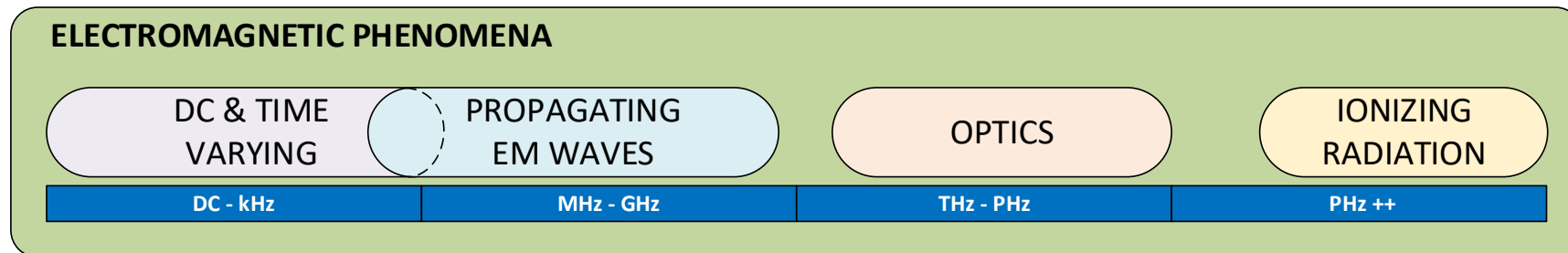


Multiphase Flow Sensing Domains



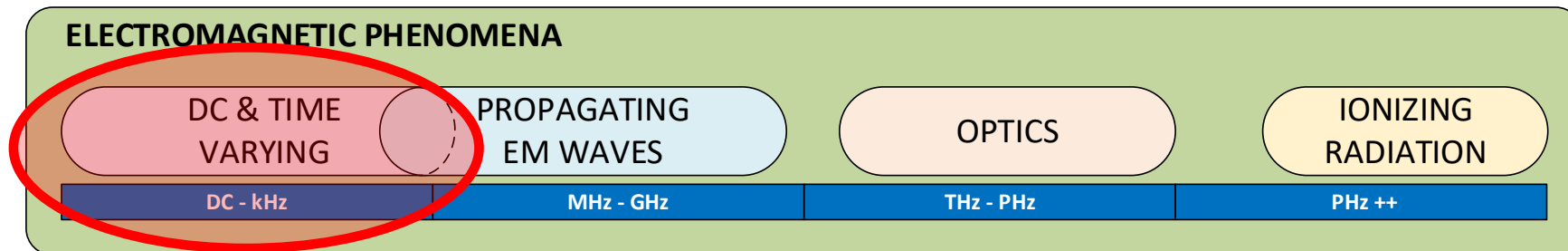
Overview of Electromagnetic Sensing

- Part 1 will focus on Electromagnetic (EM) phenomena
- Progress thru the electromagnetic spectrum from low frequency to high frequency
- Measurement examples from each EM domain that can be used in MPFM systems to discriminate phase fractions and flow rates



Overview of Electromagnetic Sensing

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- Measurement examples from each EM domain that can be used in MPFM systems to discriminate phase fractions and flow rates



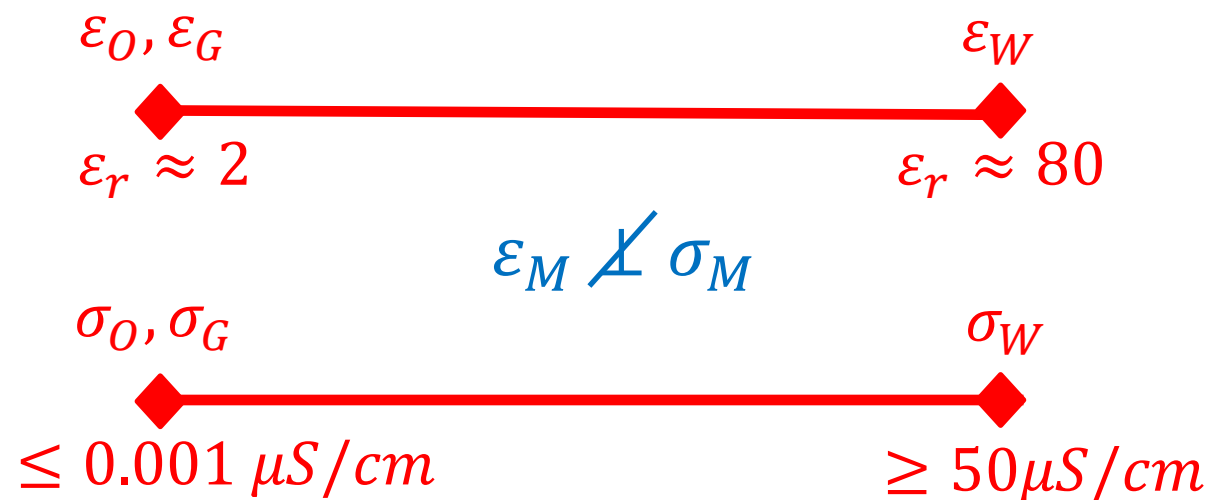
DC & Time Varying Electromagnetics

- In this frequency range, quantify fluid phases with conductivity (σ) and permittivity (ϵ)
- Difficult to discriminate oil and gas, typically provide just watercut
- Changes in σ and ϵ for oil/water/gas are NOT independent

$$1 = \boxed{\phi_W} + \phi_{O+G}$$

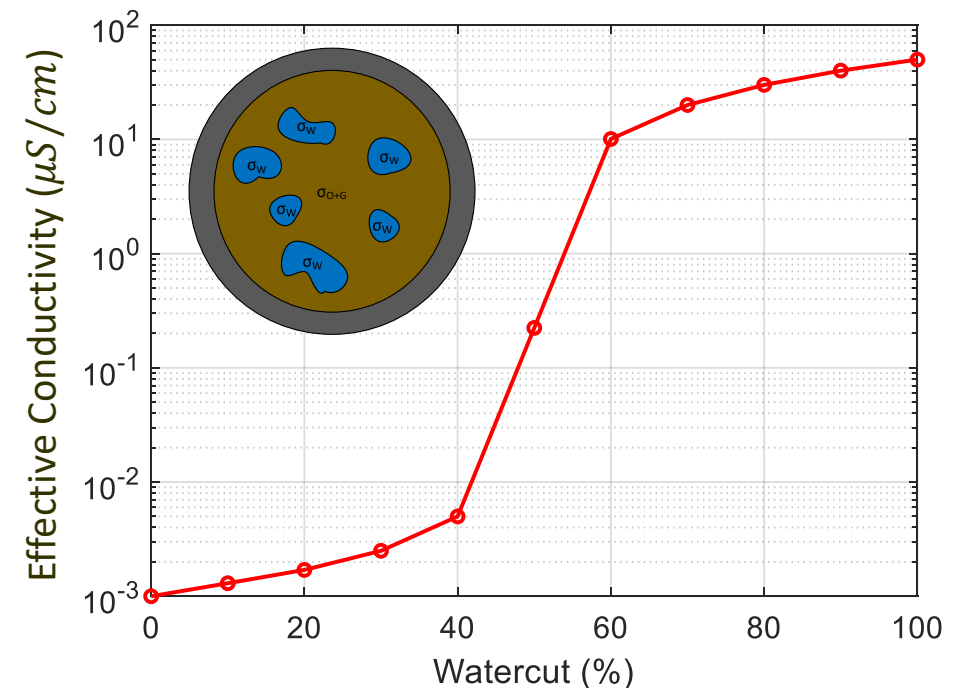
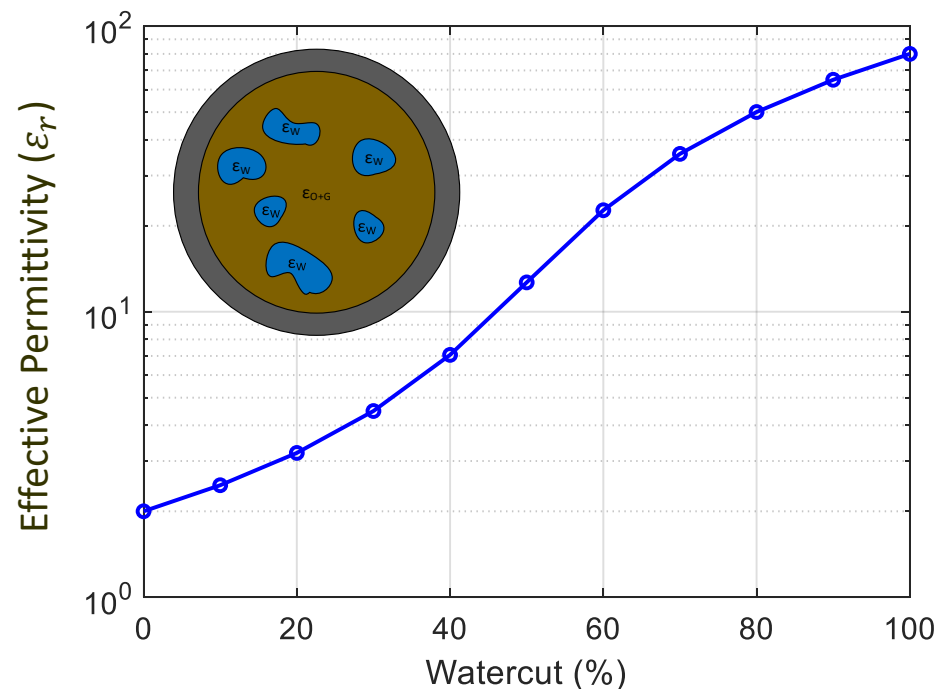
$$\epsilon_M = f(\phi_W, \phi_{O+G})$$

$$\sigma_M = f(\phi_W, \phi_{O+G})$$



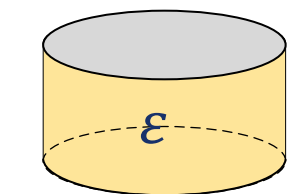
DC & Time Varying Electromagnetics

- Arbitrary distributions of σ and ϵ , depending on fluid mix and flow regime
- Effective medium theory: mixing laws for homogeneous fluid mixtures
 - Landaur, Bruggemann, Maxwell-Garnett, etc.

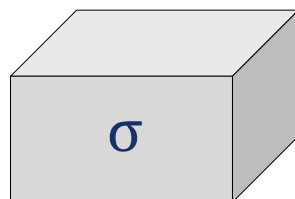


DC & Time Varying Electromagnetics

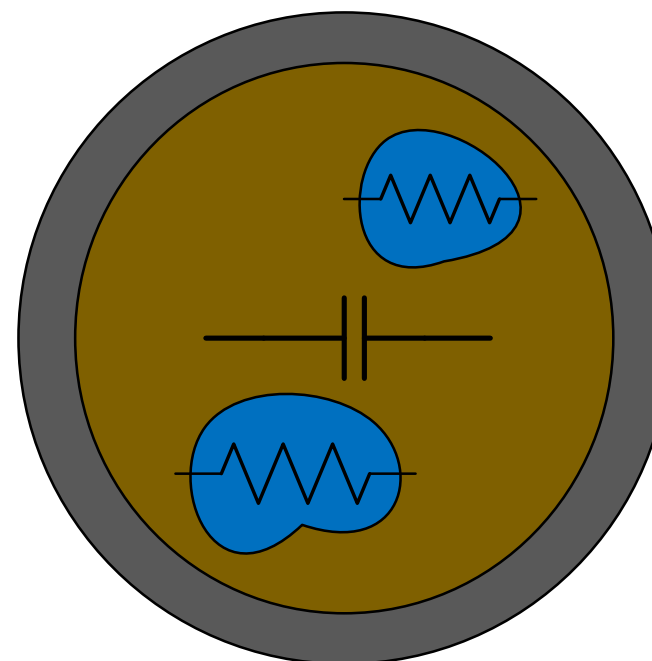
- In this domain, quantify σ and ϵ of fluid mixtures by measuring the impedance distribution of the multiphase fluid mix
- Fluid mixtures as distributed resistors ($1/\sigma$) and capacitors (ϵ)



$$C \sim \epsilon$$

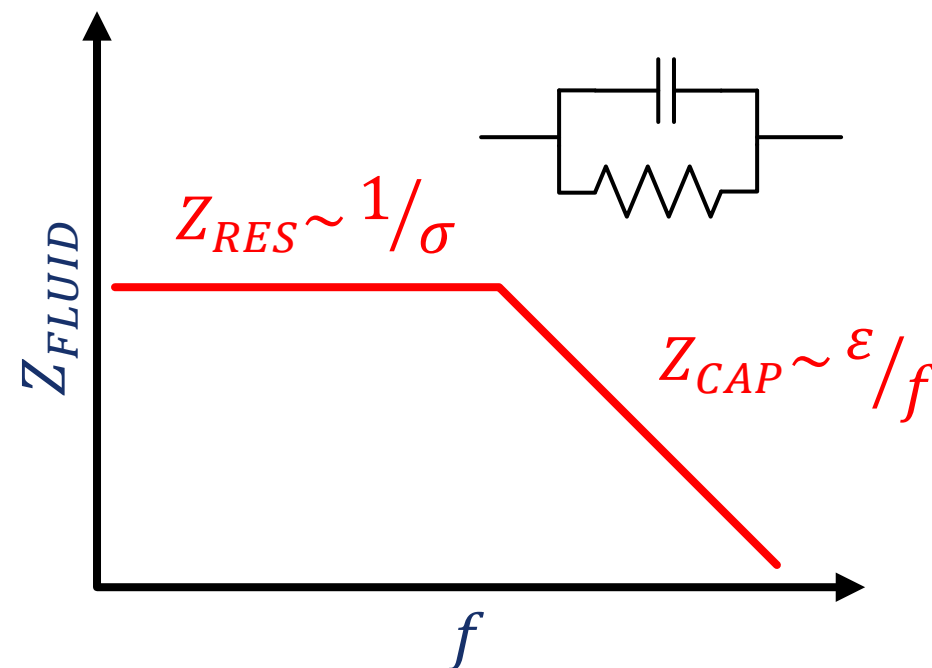
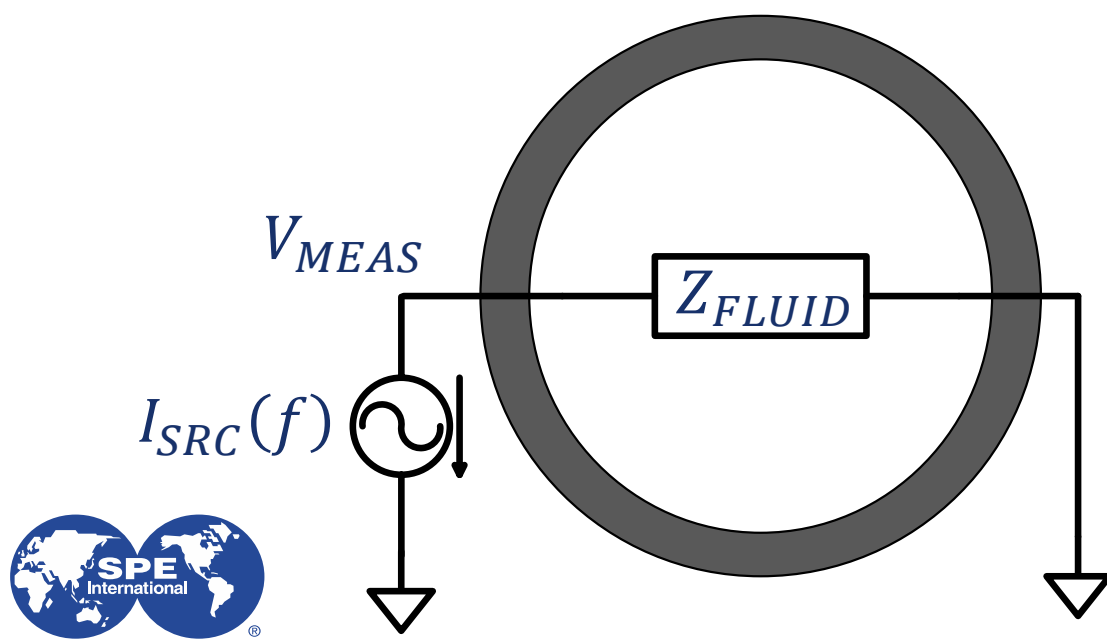


$$R \sim 1/\sigma$$



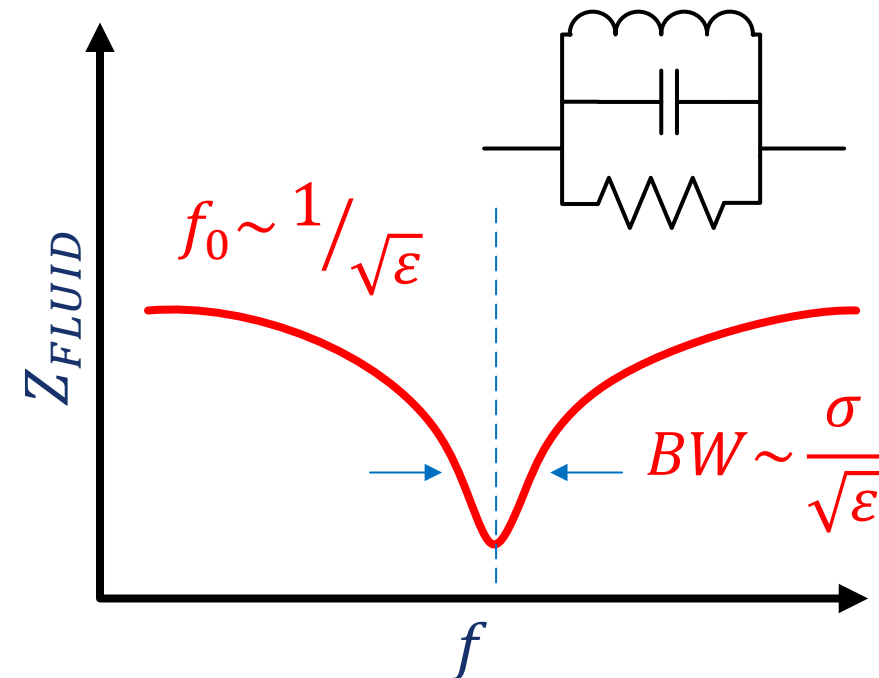
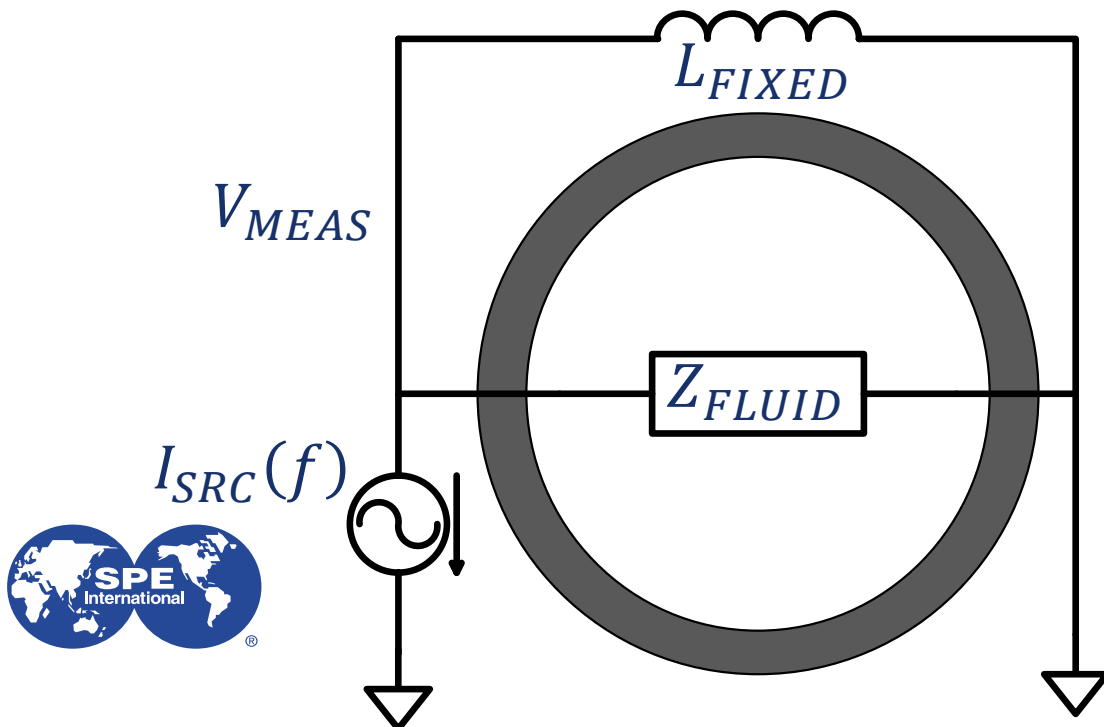
DC & Time Varying Electromagnetics

- Measure impedance of fluid in broad frequency range
 - Assume some distribution of capacitors & resistors (flow regime)
 - Extract σ and ϵ from impedance vs. frequency plot behavior



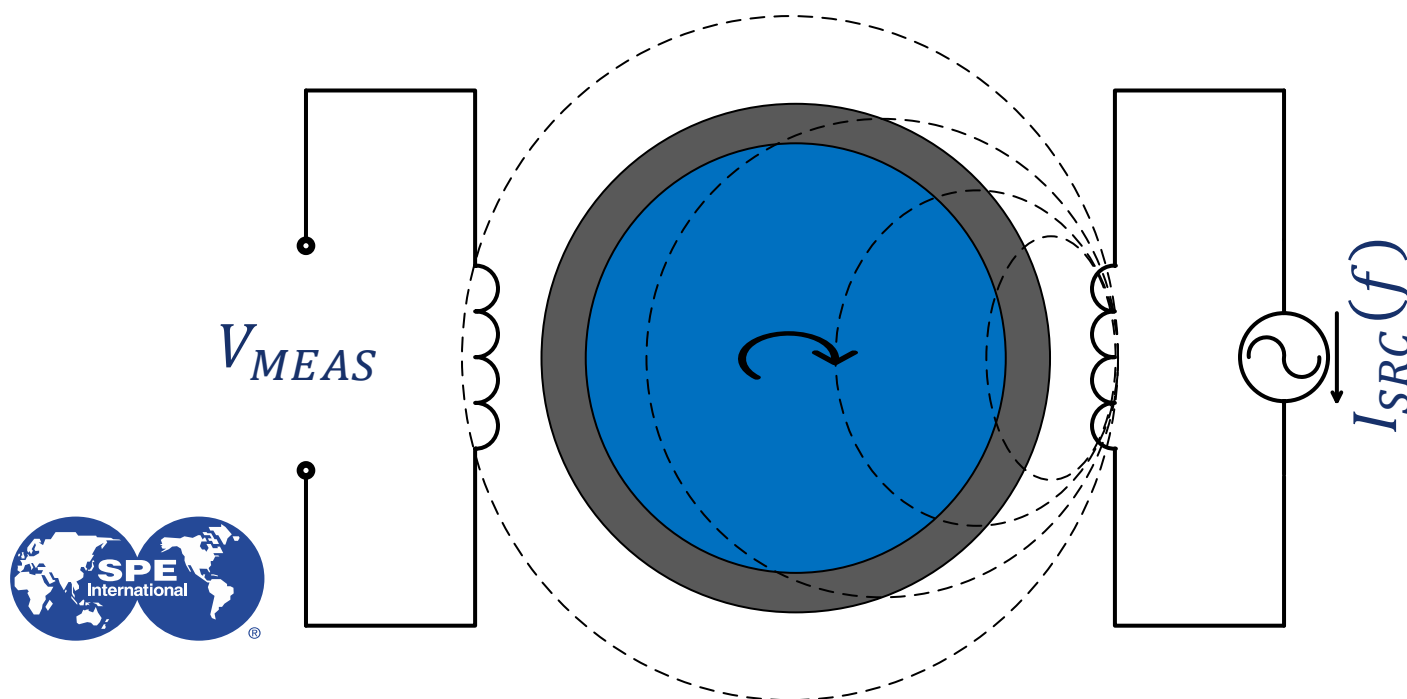
DC & Time Varying Electromagnetics

- Measure impedance of fluid around resonant frequency
 - Assume some distribution of capacitors & resistors (flow regime)
 - Extract σ and ϵ from impedance vs. frequency plot behavior



DC & Time Varying Electromagnetics

- Eddy current generation in conductive media to quantify σ
 - Modify mutual inductance due to opposing magnetic field
 - Skin depth vs. frequency to target different sizes of conductive media



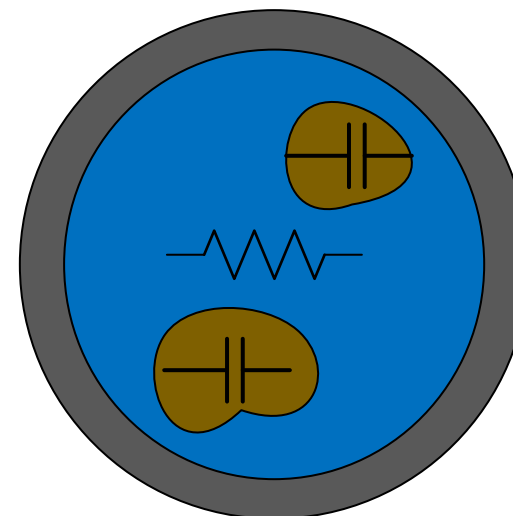
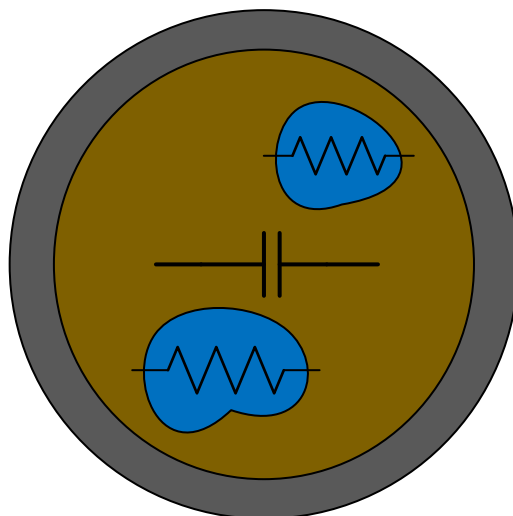
$$V_{MEAS} \sim f M I_{SRC}$$

$$\sigma \uparrow, M \downarrow$$

$$\delta \sim \frac{1}{\sqrt{f \sigma}}$$

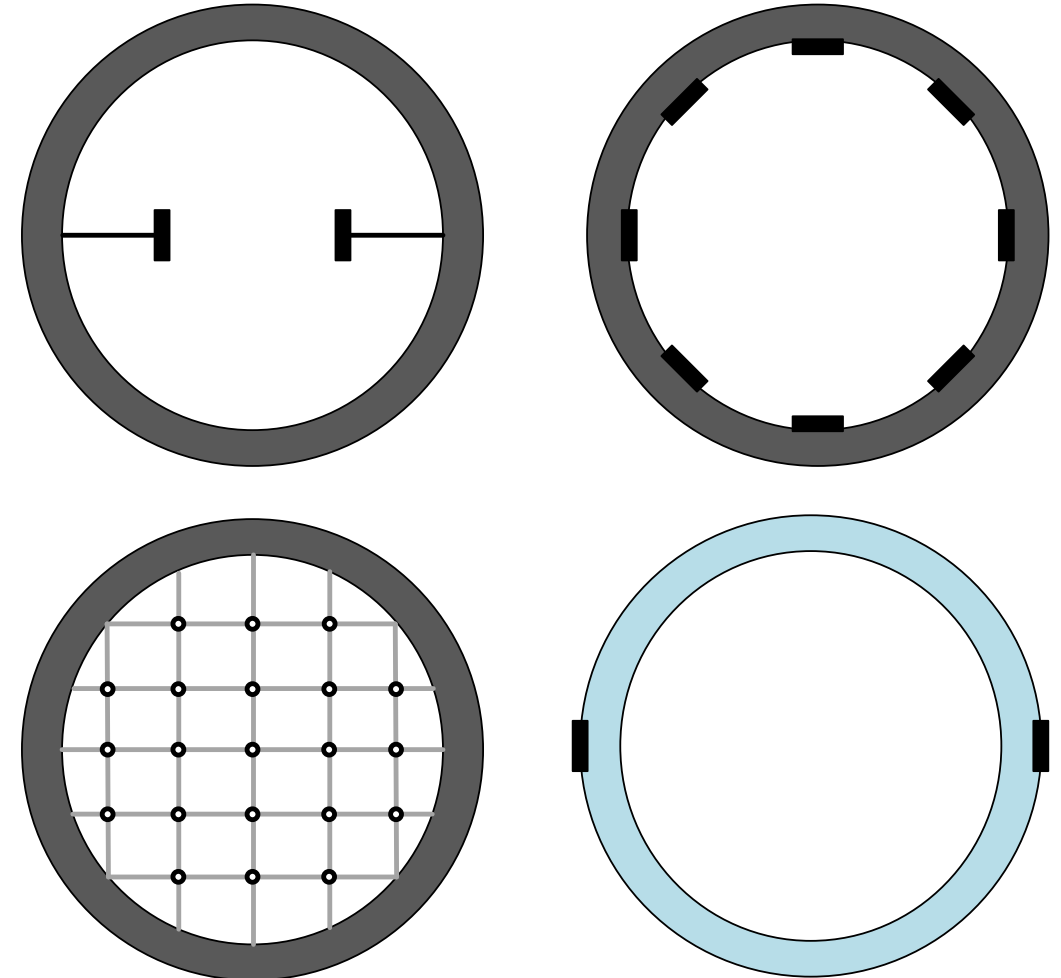
DC & Time Varying Electromagnetics

- Phase inversion region: transition from oil continuous to water continuous and vice versa
 - Resistance of conductive media blocked by non-conductive path
 - Capacitance of dielectric media shorted out by conductive path



DC & Time Varying Electromagnetics

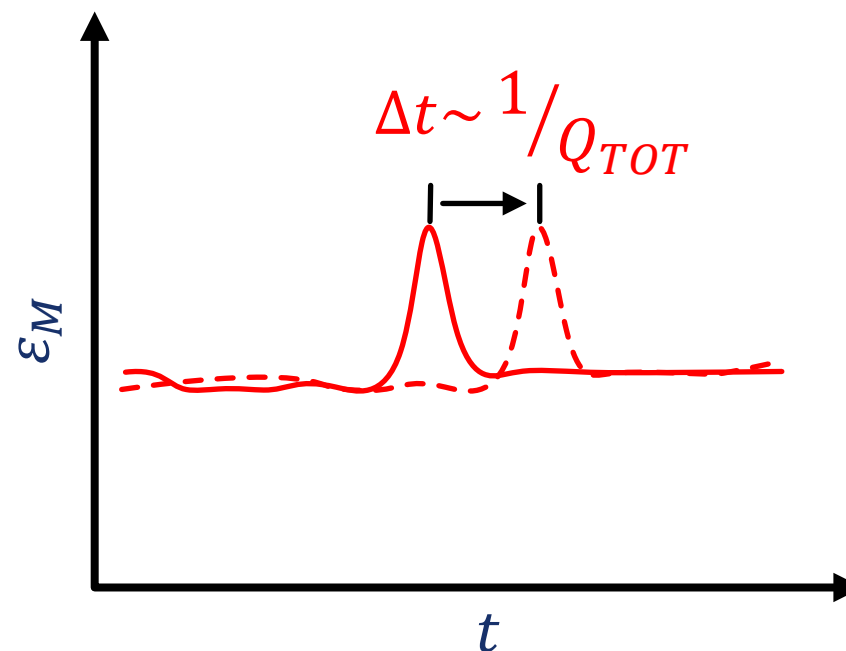
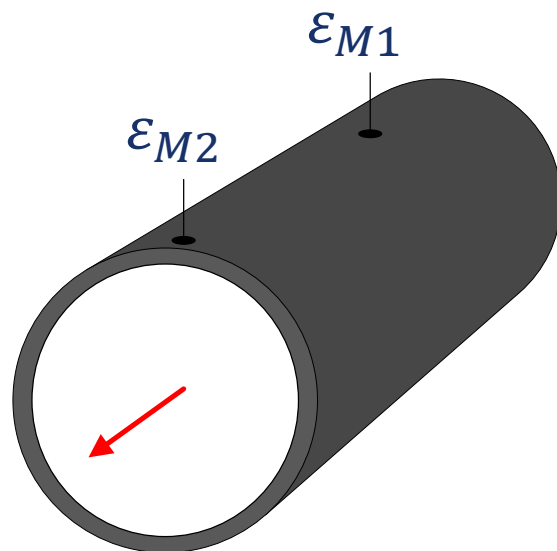
- Internal EM probes:
 - Point sampling
 - Electrode arrays on circumference
 - Grid within pipe
 - Tomographic imaging
- External EM probes:
 - Metal pipe shorts out response
 - Some methods made thru non-conductive pipe



DC & Time Varying Electromagnetics

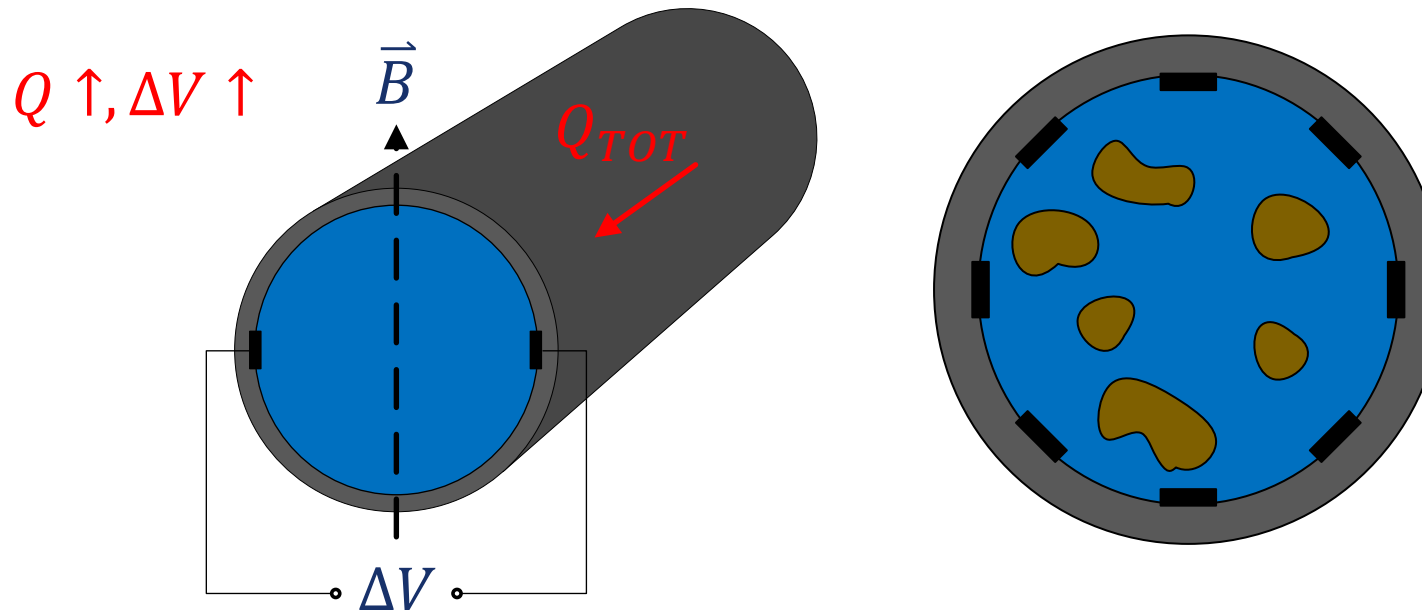
- Flow rate estimation with cross correlation

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$



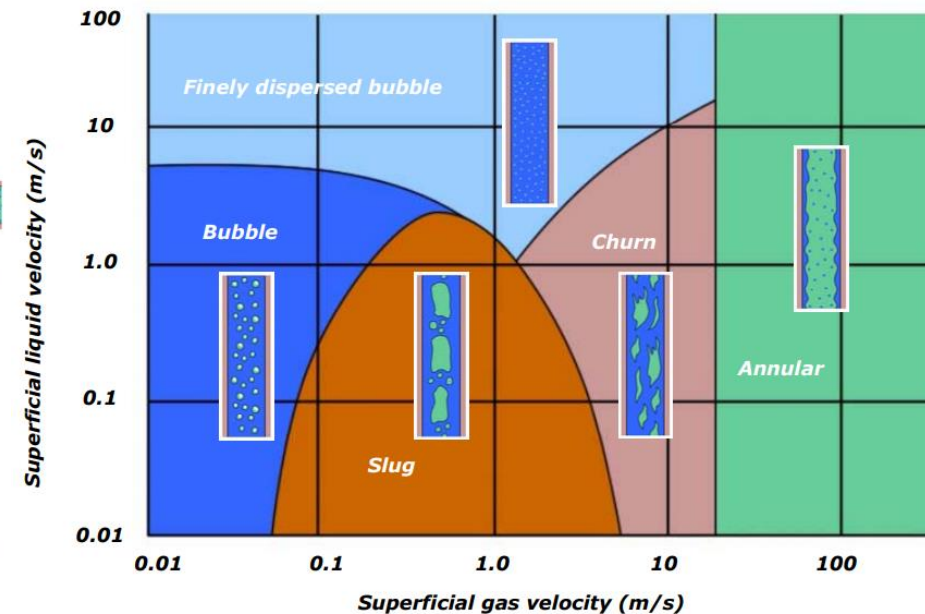
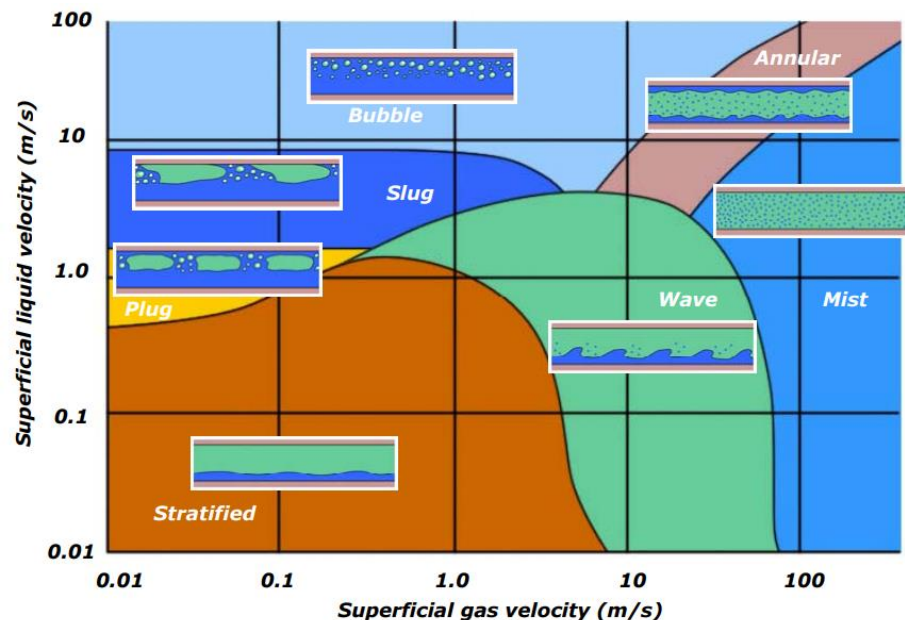
DC & Time Varying Electromagnetics

- Flow rate estimation with Faraday's Law
 - More complex with multiple phases / different geometries.
 - Requires water phase continuity between electrodes



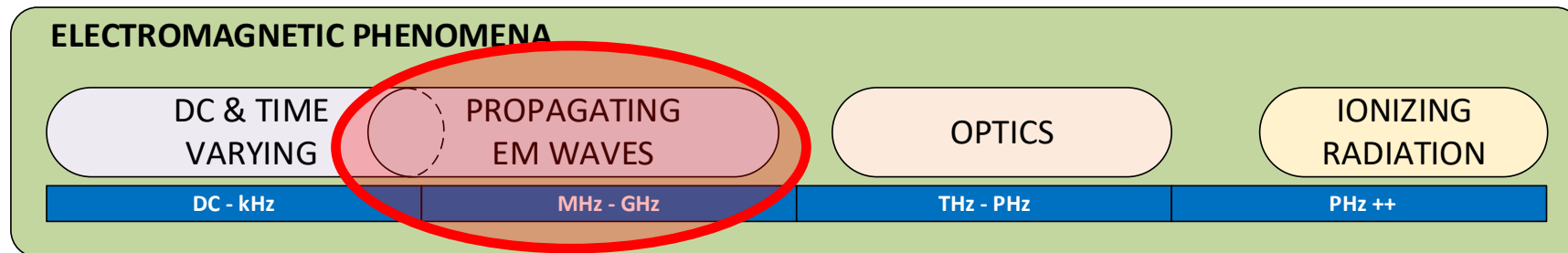
DC & Time Varying Electromagnetics

- Measurements are flow regime dependent, so well defined and/or homogeneous flows
- Phase inversion region leads to model breakdown & inaccuracy



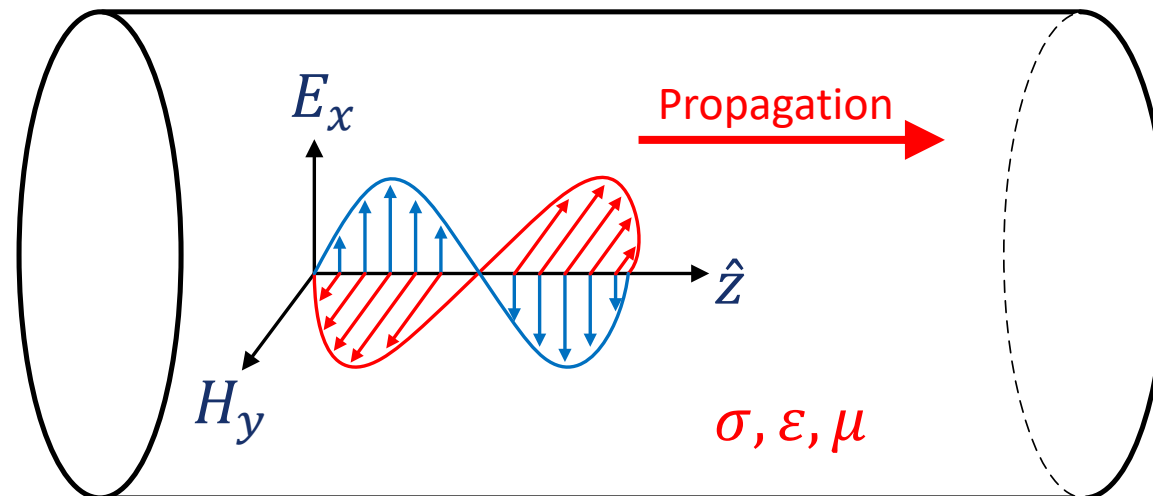
Overview of Electromagnetic Sensing

- Propagating EM waves
 - Stationary charge (electrostatics) to moving charge (electrodynamics)
 - Frequency range spans $\sim 100\text{MHz}$ to $\sim 100\text{GHz}$



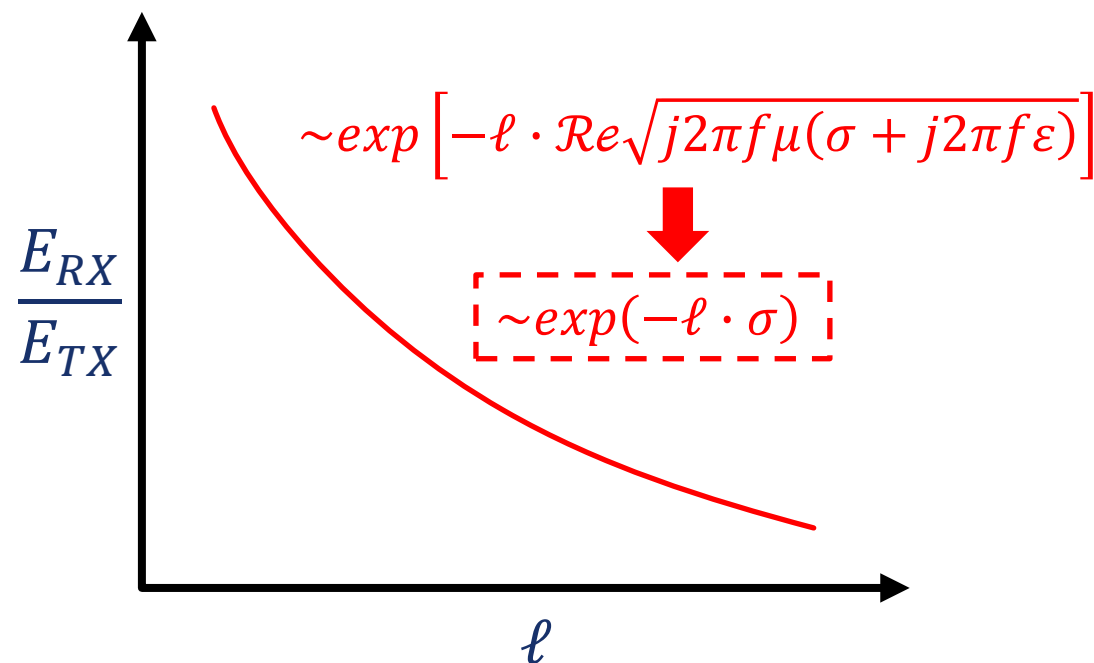
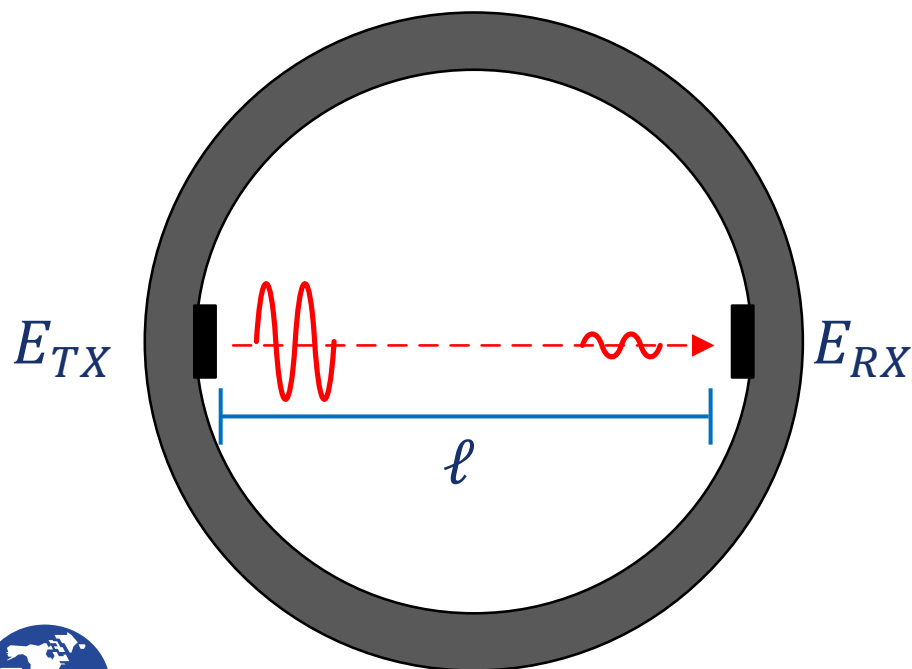
Propagating Wave Electromagnetics

- In this frequency range, EM waves propagate through the fluid
 - Take advantage of different physics to measure fluid properties
 - Phase fractions are still quantified by electromagnetic properties σ and ϵ
 - Same fundamental issue with differentiating water vs. oil/gas, and no independence between σ and ϵ functions, e.g. $\phi_W + \phi_{O+G}$



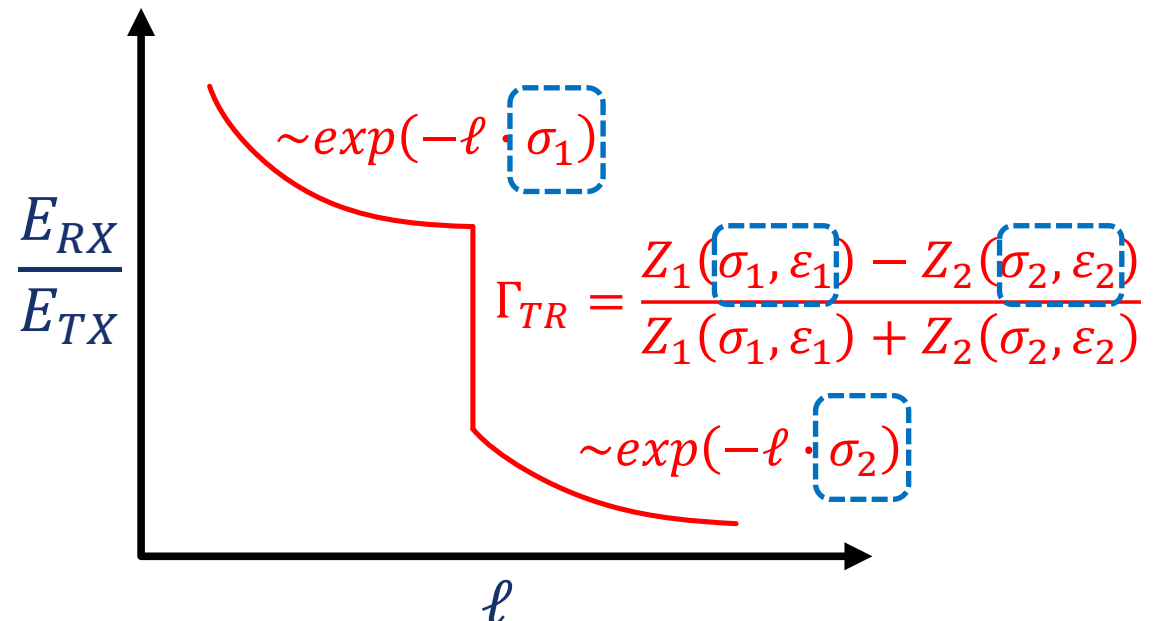
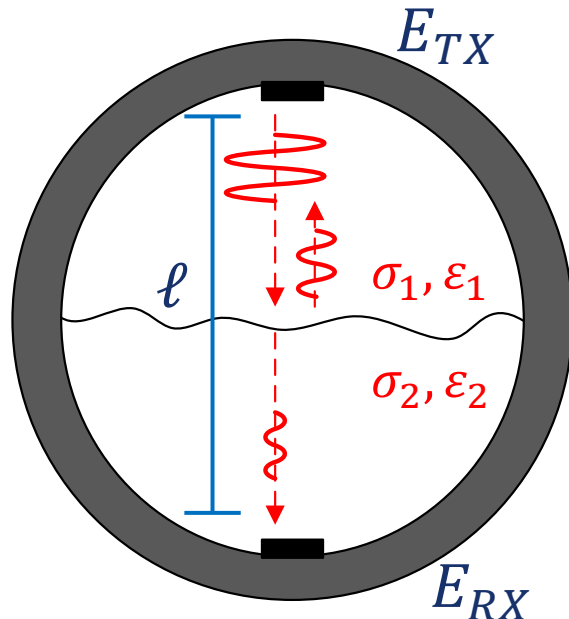
Propagating Wave Electromagnetics

- Quantify σ via attenuation of propagating wave



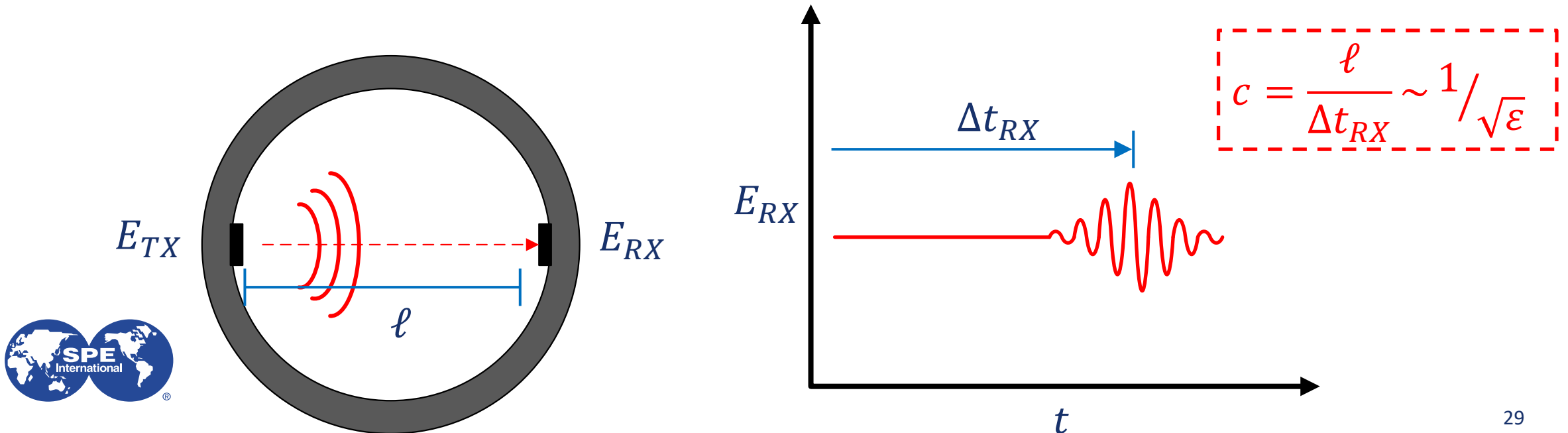
Propagating Wave Electromagnetics

- Quantify σ via attenuation and reflection/transmission off of fluid interfaces
 - Impedance differences due to $\Delta\sigma, \Delta\epsilon \rightarrow$ reflection/transmission
 - Tomographic imaging with multiple TX and RX paths



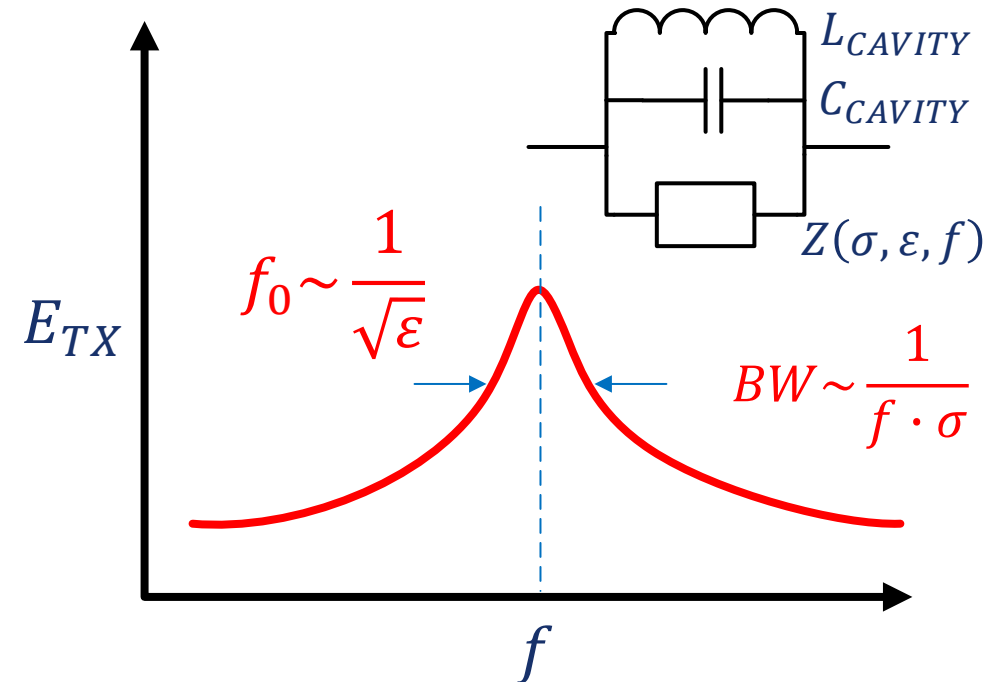
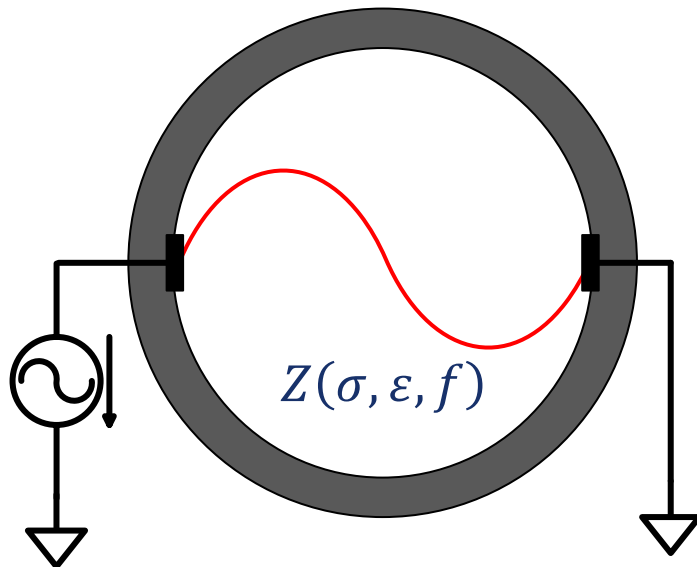
Propagating Wave Electromagnetics

- Quantify ϵ via propagation speed of pulse through fluid
 - Speed of EM wave $c \sim 1/\sqrt{\epsilon}$
 - Tomographic imaging with multiple TX and RX paths



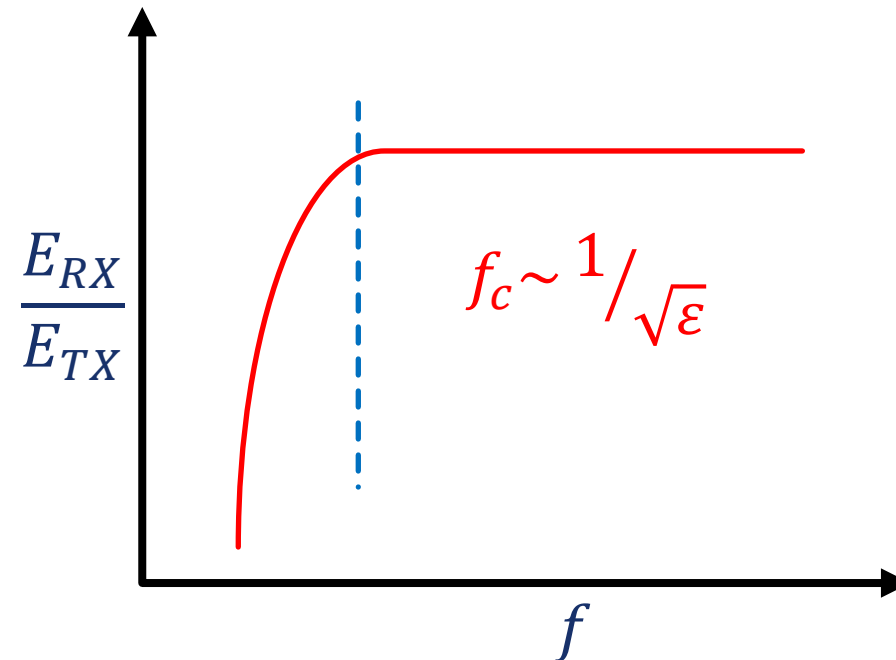
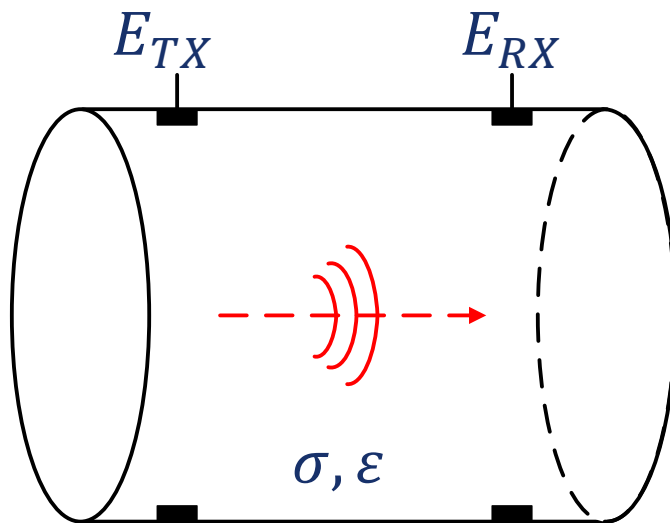
Propagating Wave Electromagnetics

- Quantify σ and ϵ via characteristic frequency response from resonator
 - Resonant response due to geometry of the cavity & propagating mode
 - EM properties of the fluid define the characteristic response



Propagating Wave Electromagnetics

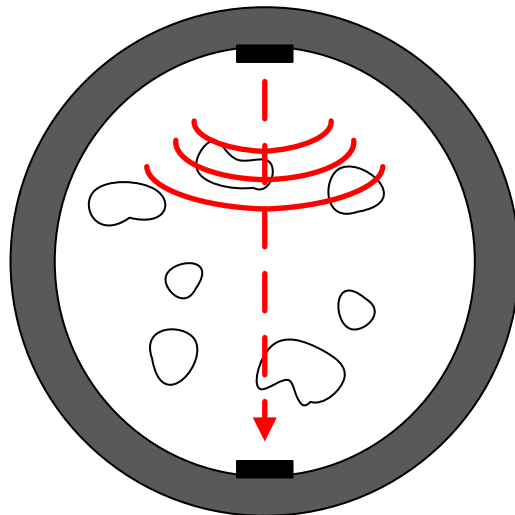
- Quantify ϵ via propagation cutoff frequency
 - Pipe & fluid acts as a transmission line
 - Characteristic cutoff frequency where modes no longer propagate



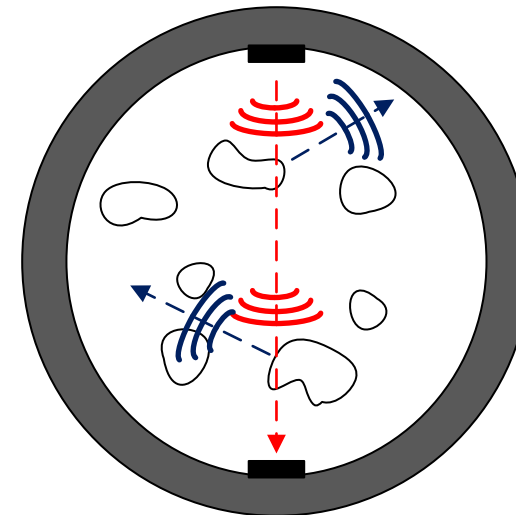
Propagating Wave Electromagnetics

- Wavelength of the EM wave is critical in this sensing domain
 - Wavelength is $\lambda_{MODE} \sim 1/\sqrt{\epsilon} \cdot c_0/f$, e.g. 3GHz wave in brine $\approx 10cm$
 - Scattering losses occur at interfaces and effective medium approximation breaks down, e.g. phase inversion region

$$\lambda_{MODE} \gg \ell_{FEATURE}$$



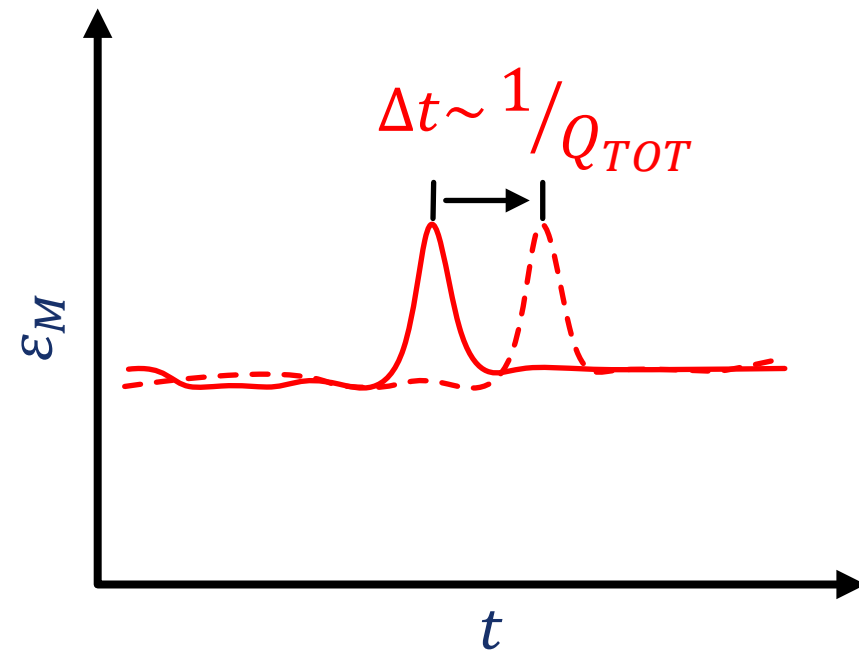
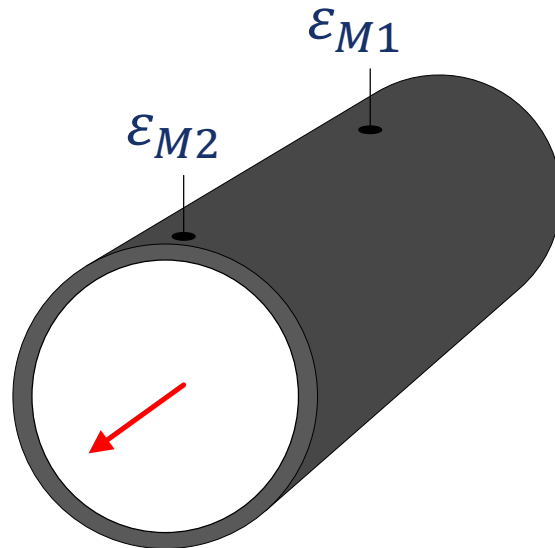
$$\lambda_{MODE}/2 \approx \ell_{FEATURE}$$



Propagating Wave Electromagnetics

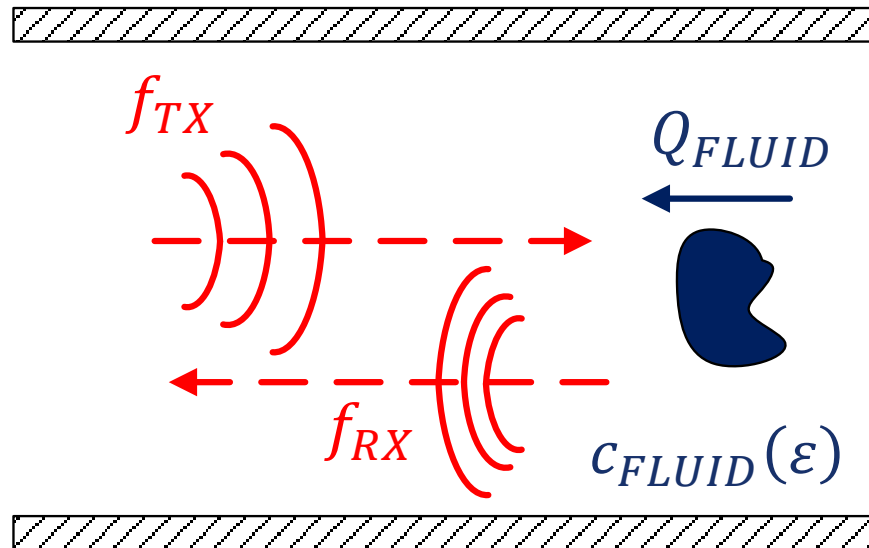
- Flow rate estimation via cross correlation, similar to DC & Time Varying EM

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$



Propagating Wave Electromagnetics

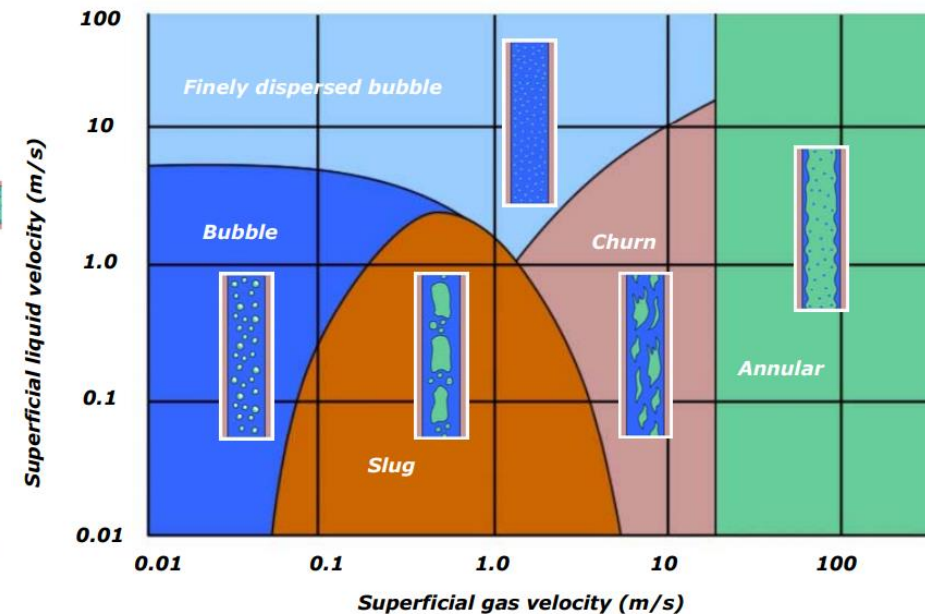
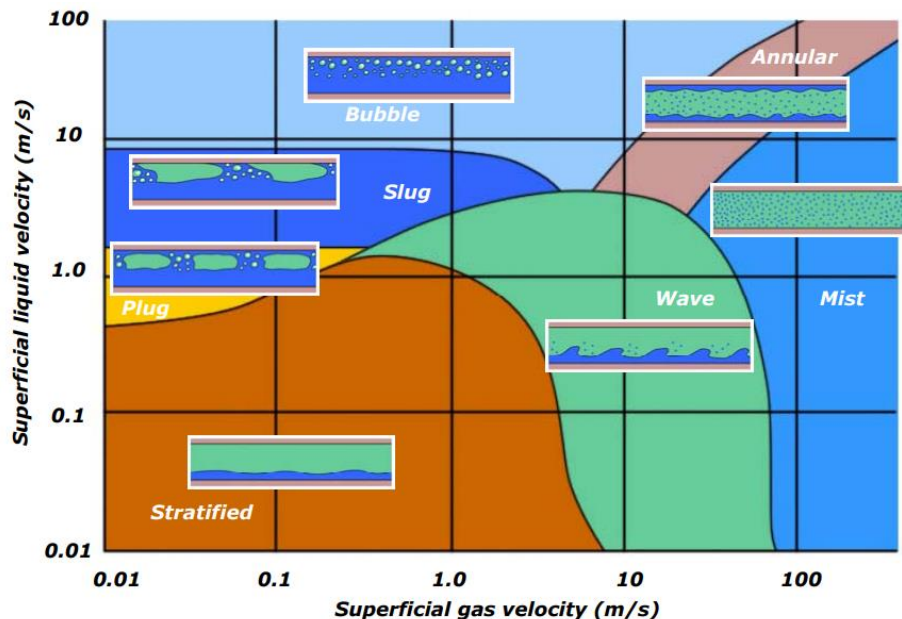
- Flow rate estimation via doppler frequency shift
 - Moving interfaces in fluid modify the frequency of the source wave
 - Reflected frequency f_{RX} $\uparrow$ as reflector moves towards source f_{TX}



$$Q_{FLUID} \sim \frac{(f_{RX} - f_{TX}) \cdot c_{FLUID}}{2 \cdot f_{TX}}$$

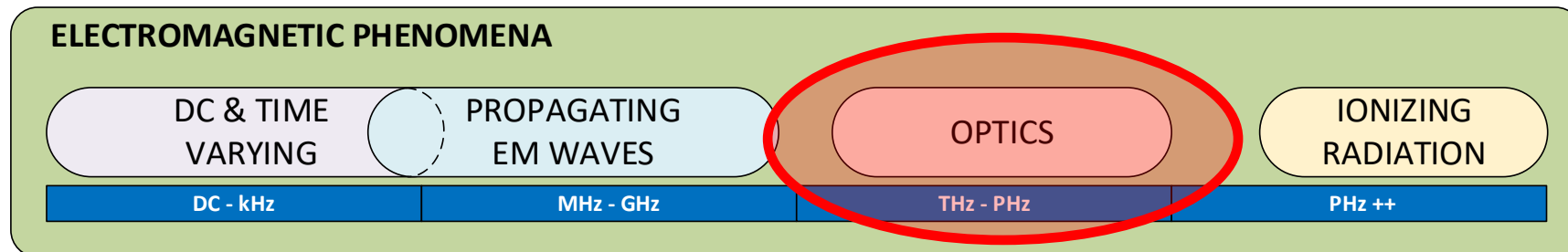
Propagating Wave Electromagnetics

- Phase inversion region leads to model breakdown & scattering loss
- Well-mixed homogeneous flows are ideal. Other flow regimes require greatly increased model complexity



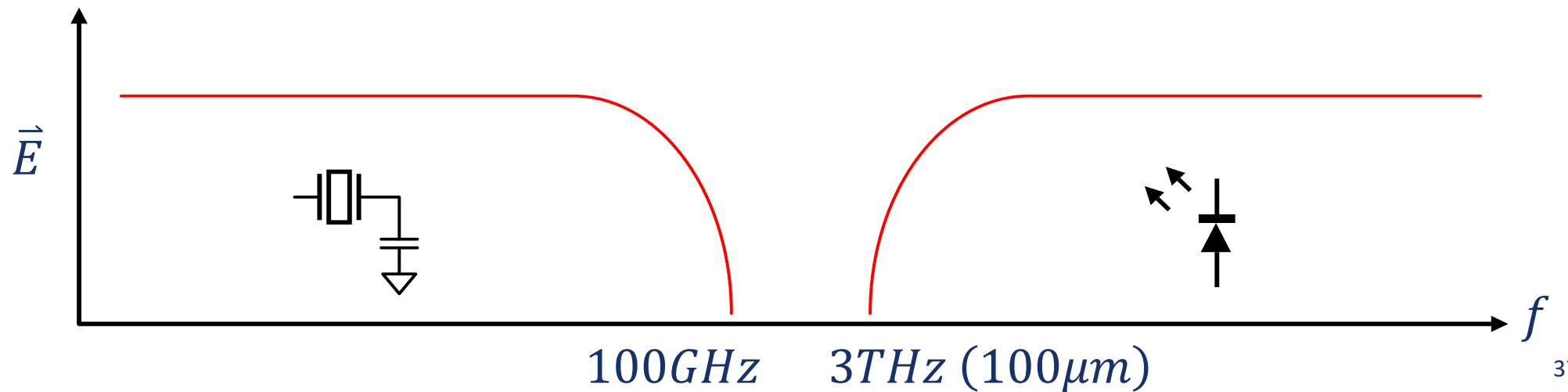
Overview of Electromagnetic Sensing

- Optical domain of EM Sensing
 - Frequency range spans $\sim 3THz$ to $\sim 1PHz$
 - Switch discussion to wavelength in this domain, i.e. $3THz \approx 100\mu m$ and $1PHz \approx 300nm$



The Electronic and Optical Gap

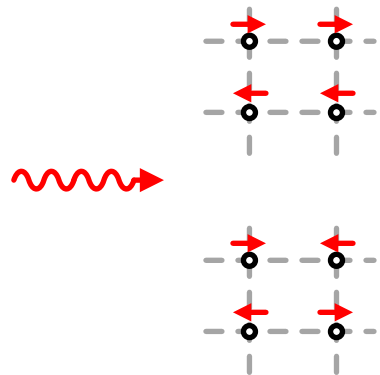
- Gap in source power between $\sim 100\text{GHz}$ and $\sim 3\text{THz}$
 - Electronic oscillator sources: stray capacitance limiting energy output, e.g. low pass filter
 - Optical emission sources: entropy suppressing radiation, e.g. phonon absorption near $k_B T$



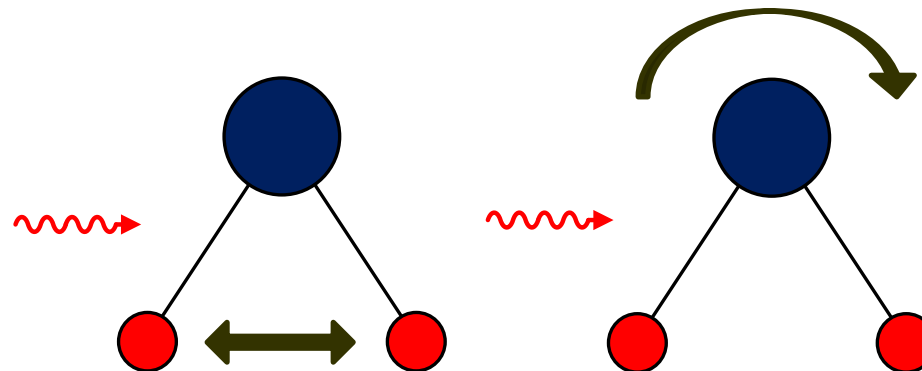
Optical Sensing

- In the optical wavelength region we see energy absorption from a variety of physical phenomena: interatomic vibrations (phonons), rotational modes of molecules, and valence electron transitions

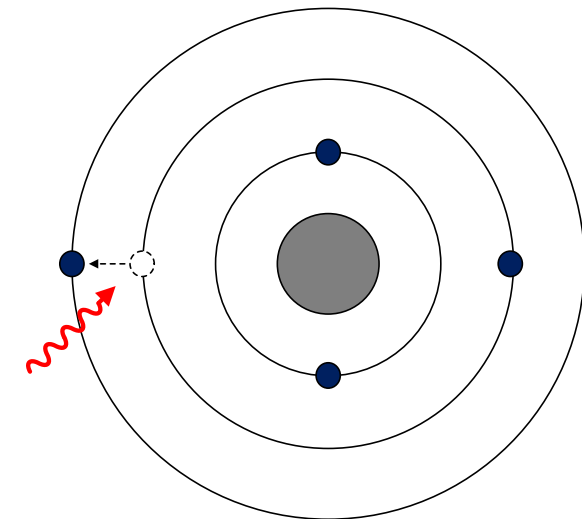
Phonons



Molecular Rotations

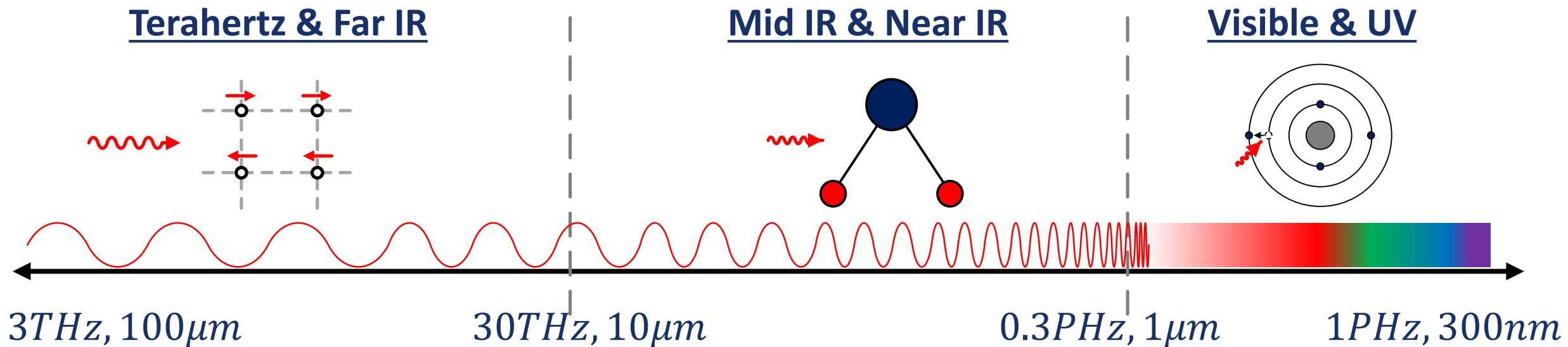


Valence Electron Transitions



Optical Sensing

- In this sensing domain, we discriminate ϕ_O , ϕ_W , ϕ_G by their unique spectral absorption response in various wavelength regions



Optical Sensing

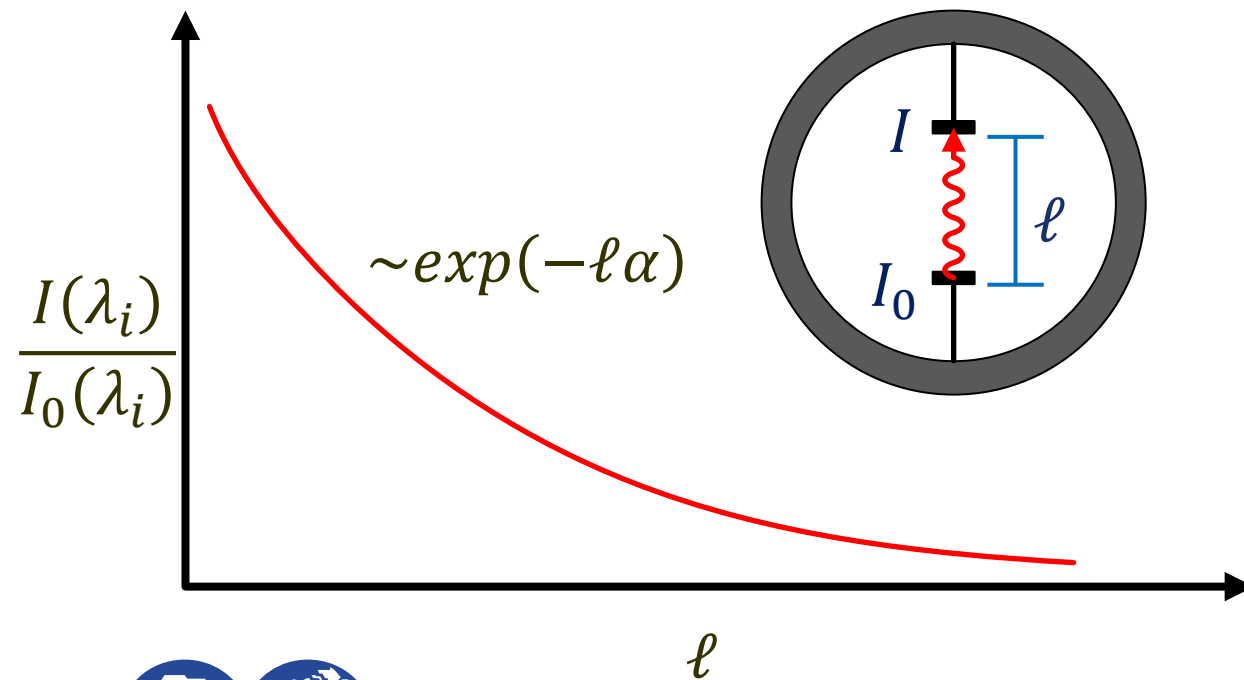
- Spectral absorption (α) is dispersive, e.g. changes with wavelength
- Can now utilize two independent equations to determine ϕ_O, ϕ_W, ϕ_G

$$\begin{array}{l}
 1 = \phi_O + \phi_W + \phi_G \\
 S_1 = f_1(\phi_O, \phi_W, \phi_G) \\
 S_2 = f_2(\phi_O, \phi_W, \phi_G)
 \end{array}
 \left. \vphantom{\begin{array}{l} 1 = \phi_O + \phi_W + \phi_G \\ S_1 = f_1(\phi_O, \phi_W, \phi_G) \\ S_2 = f_2(\phi_O, \phi_W, \phi_G) \end{array}} \right\} \rightarrow \left\{ \begin{array}{l}
 1 = \phi_O + \phi_W + \phi_G \\
 \alpha(\lambda_1) = \phi_O \alpha_O(\lambda_1) + \phi_W \alpha_W(\lambda_1) + \phi_G \alpha_G(\lambda_1) \\
 \alpha(\lambda_2) = \phi_O \alpha_O(\lambda_2) + \phi_W \alpha_W(\lambda_2) + \phi_G \alpha_G(\lambda_2)
 \end{array} \right.$$

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$

Optical Sensing

- Mixing rule for absorption derived from Beer Lambert Law for multiple media along ray path



$$I(\lambda_1) = I_0(\lambda_1) \exp[-\ell \cdot \alpha(\lambda_1)]$$

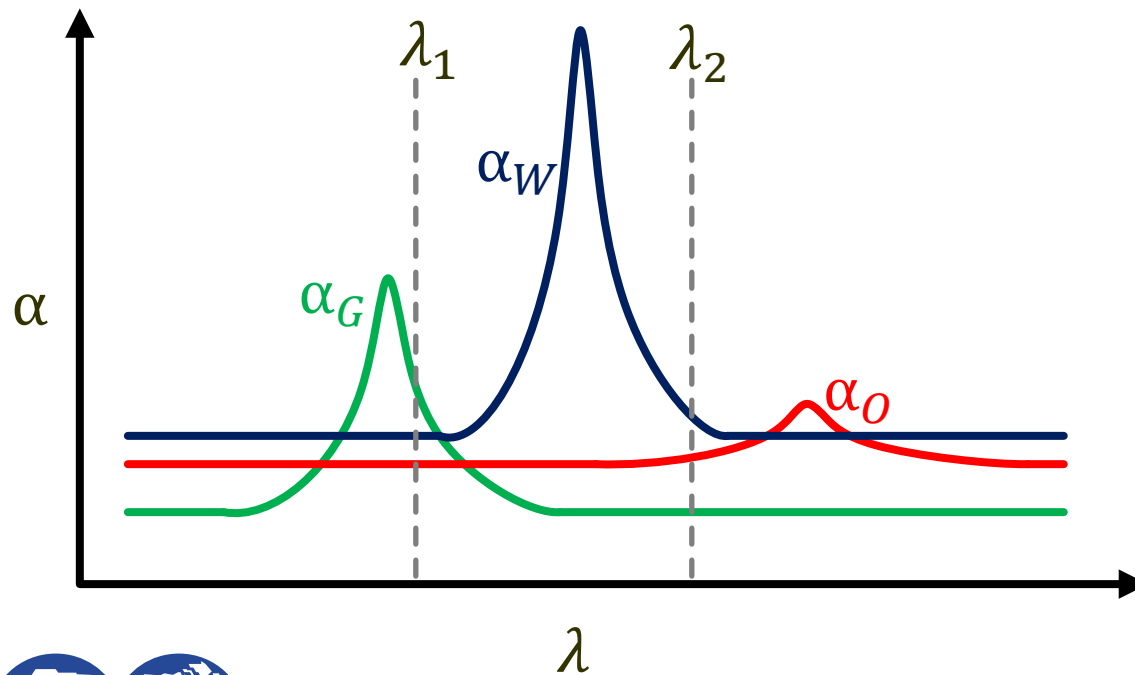
$$I(\lambda_2) = I_0(\lambda_2) \exp[-\ell \cdot \alpha(\lambda_2)]$$

$$\alpha(\lambda_1) = \phi_O \alpha_O(\lambda_1) + \phi_W \alpha_W(\lambda_1) + \phi_G \alpha_G(\lambda_1)$$

$$\alpha(\lambda_2) = \phi_O \alpha_O(\lambda_2) + \phi_W \alpha_W(\lambda_2) + \phi_G \alpha_G(\lambda_2)$$

Optical Sensing

- Mixing rule for spectral absorption: Beer Lambert Law



$$I(\lambda_1) = I_0(\lambda_1) \exp[-\ell \cdot \alpha(\lambda_1)]$$

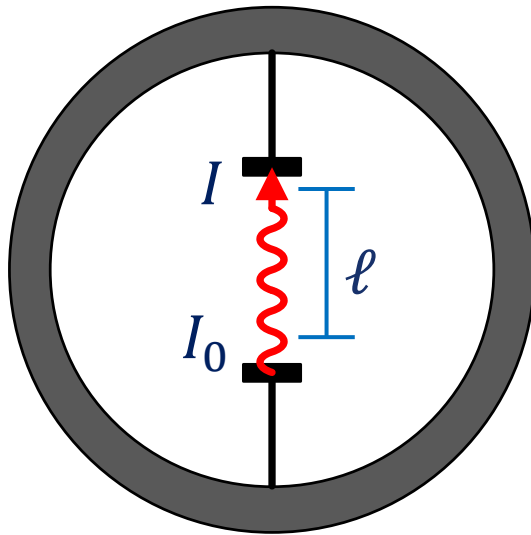
$$I(\lambda_2) = I_0(\lambda_2) \exp[-\ell \cdot \alpha(\lambda_2)]$$

$$\alpha(\lambda_1) = \phi_O \alpha_O(\lambda_1) + \phi_W \alpha_W(\lambda_1) + \phi_G \alpha_G(\lambda_1)$$

$$\alpha(\lambda_2) = \phi_O \alpha_O(\lambda_2) + \phi_W \alpha_W(\lambda_2) + \phi_G \alpha_G(\lambda_2)$$

Optical Sensing

- Combinations of broadband and narrowband emitters and receivers
- Exponential loss from absorption → systems typically have optical emitters and receivers near each other



$$\alpha_W(\lambda = 5\mu m) \approx 10^4 \text{ m}^{-1}$$

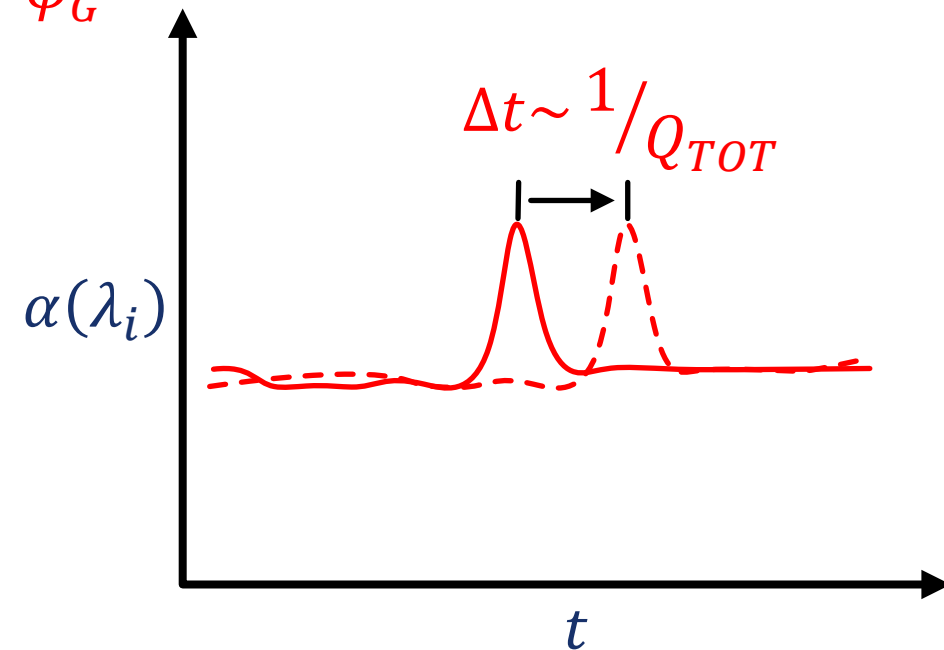
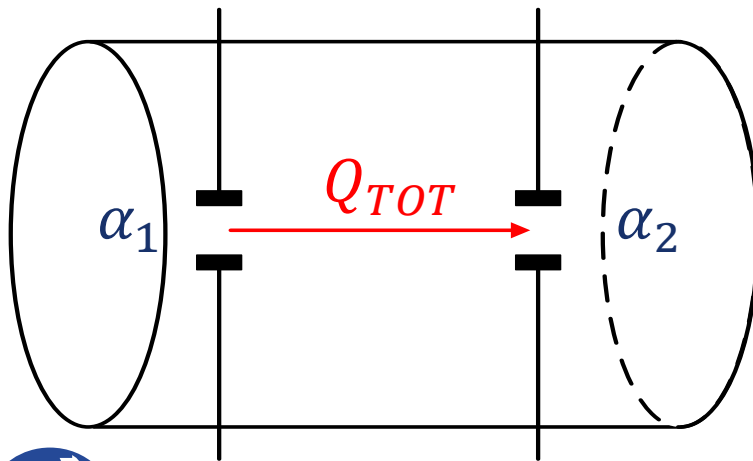
$$\ell = 0.5 \text{ mm}$$

$$\frac{I}{I_0} \cong 0.7\%$$

Optical Sensing

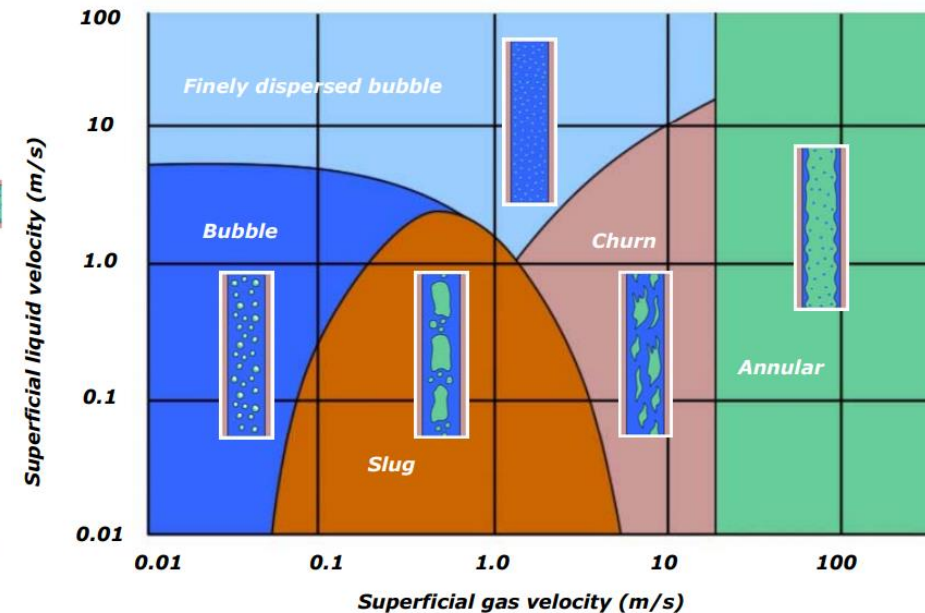
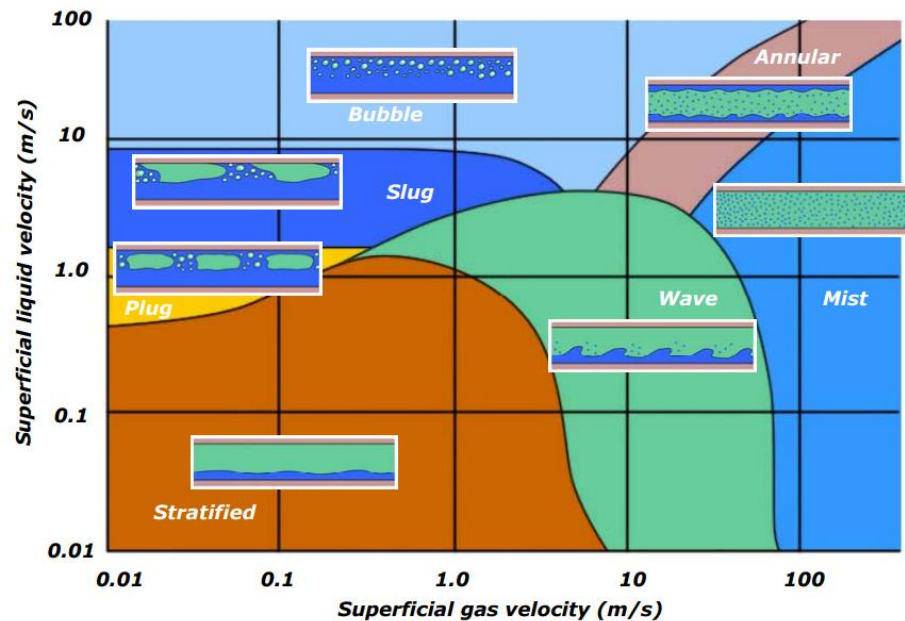
- Flow rate estimation via cross correlation, similar to Propagating Wave EM
- Added difficulty due to point sampling of fluid with optical sensing

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$



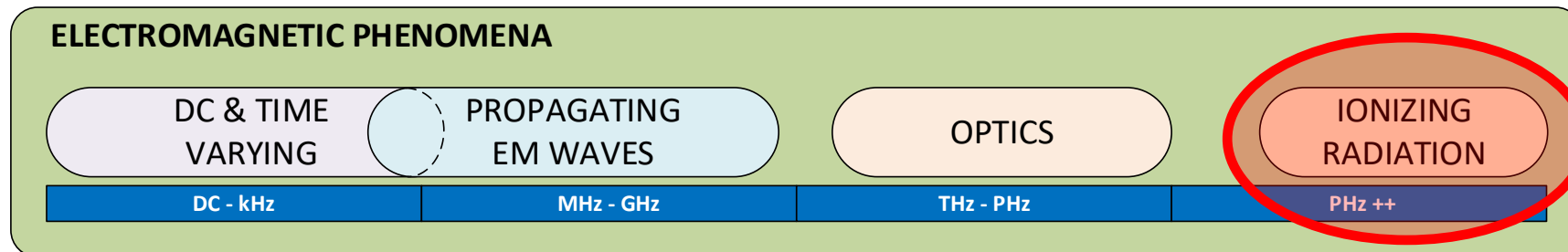
Optical Sensing

- Ideal response in homogenous mixtures, minimal cross section to interrogate to represent the total flow volume
- Less absorption loss in high GVF flows



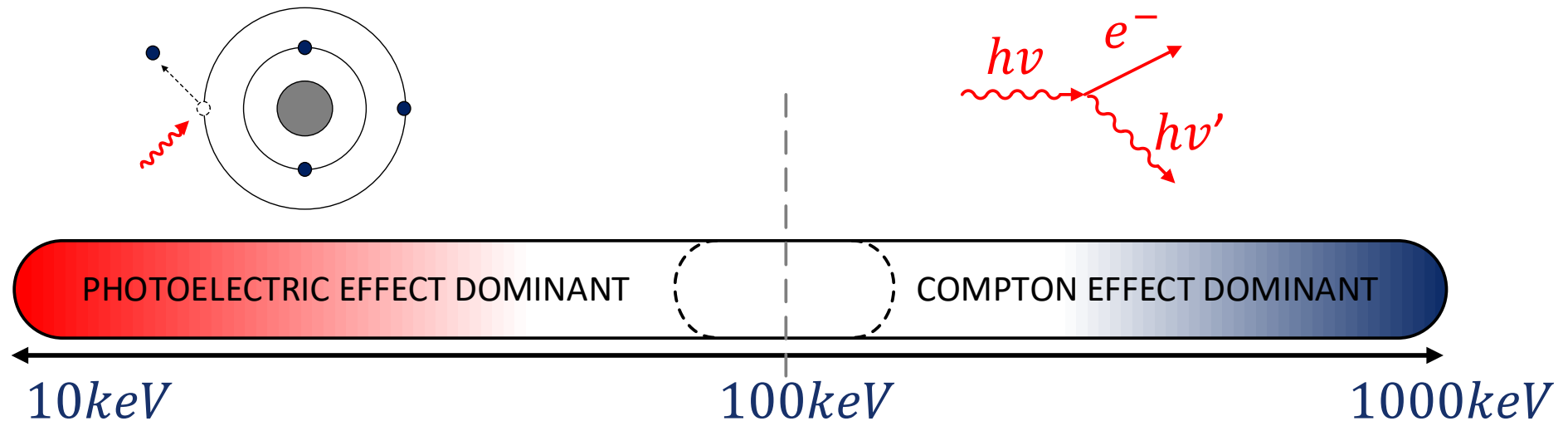
Overview of Electromagnetic Sensing

- Ionizing Radiation domain of EM Sensing
 - Frequency range spans $\sim 200\text{PHz}$ and beyond
 - Switch discussion to energy (eV) in this domain, i.e. $200\text{PHz} \approx 1\text{keV}$



Ionizing Radiation

- In this high-energy particle range, photon energy is high enough to rearrange or outright remove electrons within atoms and molecules
- Absorption and/or re-emission via Photoelectric or Compton effect



Ionizing Radiation

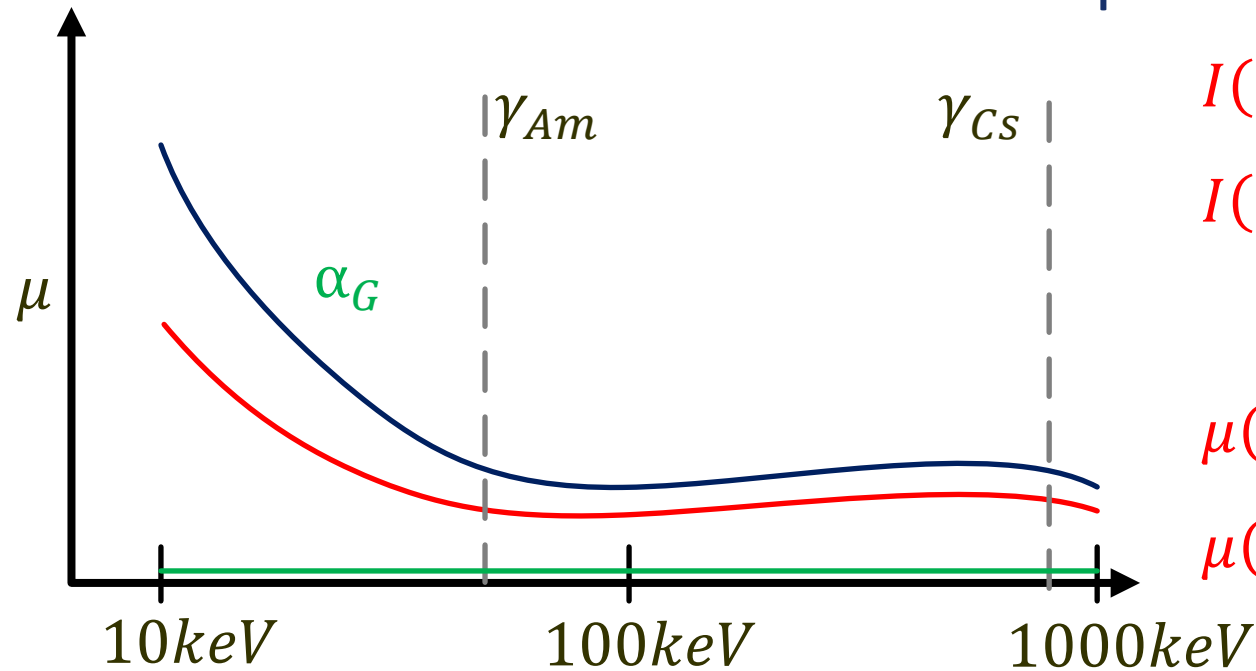
- Atomic interaction effects (μ) are dispersive, e.g. changes with energy
- Similar to optical sensing domain, utilize two independent equations to determine ϕ_O, ϕ_W, ϕ_G

$$\begin{array}{l}
 1 = \phi_O + \phi_W + \phi_G \\
 S_1 = f_1(\phi_O, \phi_W, \phi_G) \\
 S_2 = f_2(\phi_O, \phi_W, \phi_G)
 \end{array}
 \left. \vphantom{\begin{array}{l} 1 = \phi_O + \phi_W + \phi_G \\ S_1 = f_1(\phi_O, \phi_W, \phi_G) \\ S_2 = f_2(\phi_O, \phi_W, \phi_G) \end{array}} \right\} \rightarrow \left\{ \begin{array}{l} 1 = \phi_O + \phi_W + \phi_G \\ \mu(e_1) = \phi_O \mu_O(e_1) + \phi_W \mu_W(e_1) + \phi_G \mu_G(e_1) \\ \mu(e_2) = \phi_O \mu_O(e_2) + \phi_W \mu_W(e_2) + \phi_G \mu_G(e_2) \end{array} \right.$$

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$

Ionizing Radiation

- Similar to Optical sensing domain, mixing rule for absorption derived from Beer Lambert Law for multiple media along ray path



$$I(e_1) = I_0(e_1) \exp[-\ell \cdot \mu(e_1)]$$

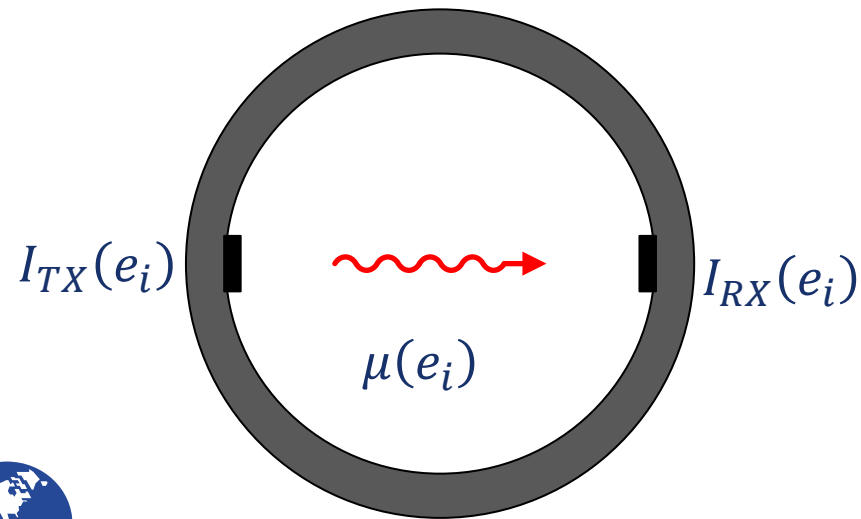
$$I(e_2) = I_0(e_2) \exp[-\ell \cdot \mu(e_2)]$$

$$\mu(e_1) = \phi_O \mu_O(e_1) + \phi_W \mu_W(e_1) + \phi_G \mu_G(e_1)$$

$$\mu(e_2) = \phi_O \mu_O(e_2) + \phi_W \mu_W(e_2) + \phi_G \mu_G(e_2)$$

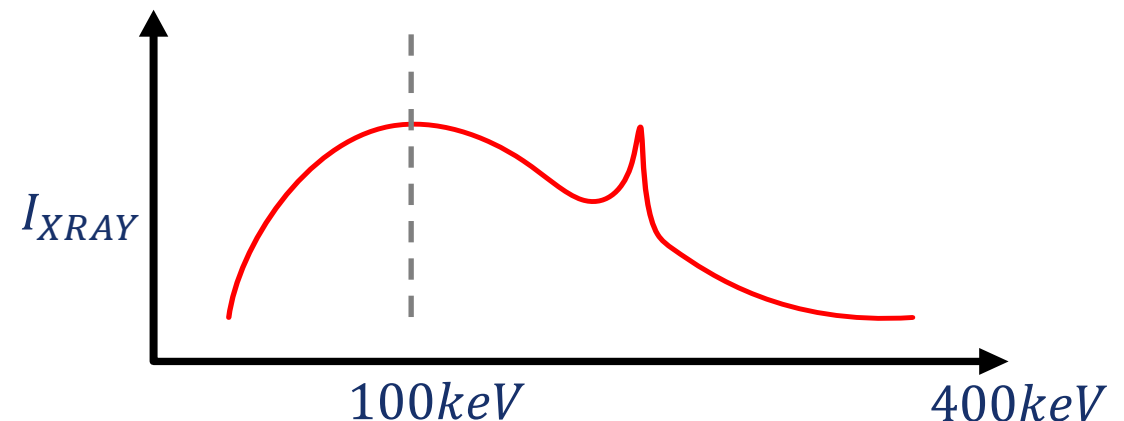
Ionizing Radiation

- Typically in a transmission-style measurement
- Chemical sources which emit x-ray and gamma ray photons (narrowband emission) or electronic x-ray sources (broadband emission)



Isotope	γ -ray Emission (keV)	x-ray Emission (keV)
^{241}Am	60	13.9, 17.8
^{137}Cs	662	32.1

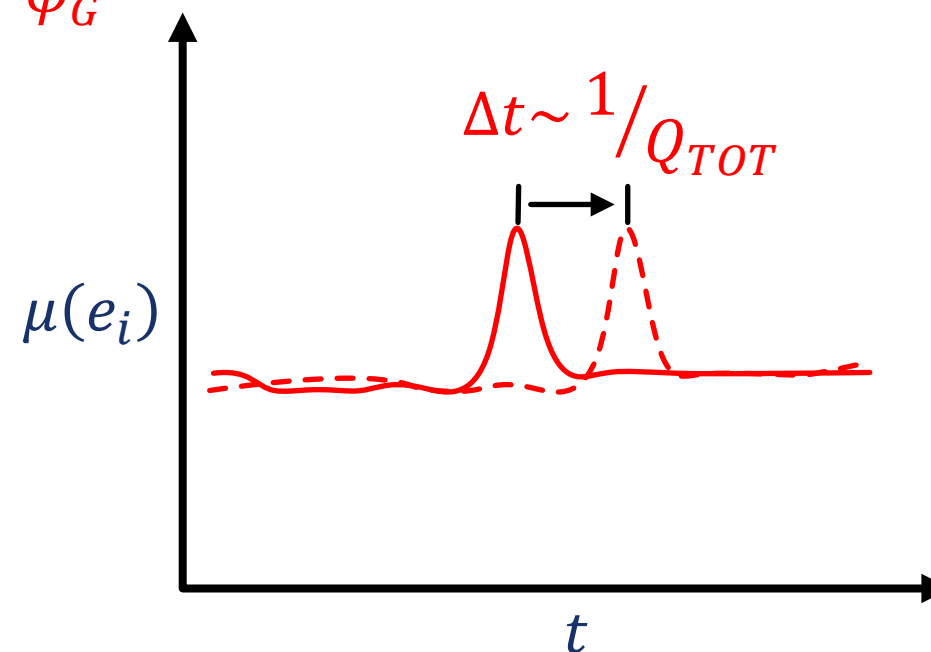
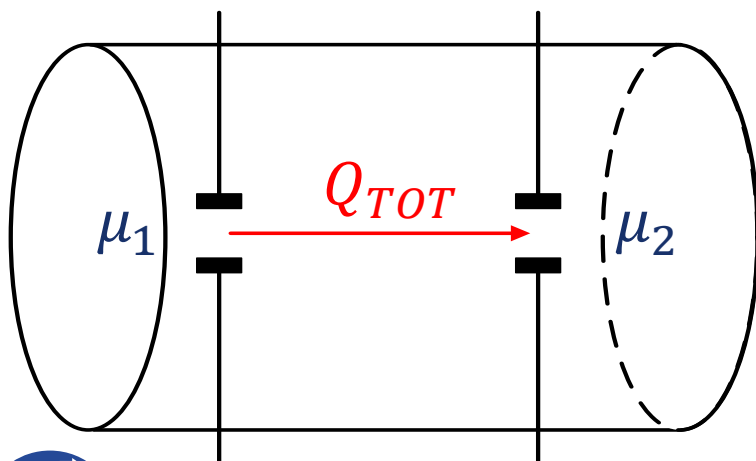
M. Wang, "Industrial Tomography" Woodhead Publishing (2015).



Ionizing Radiation

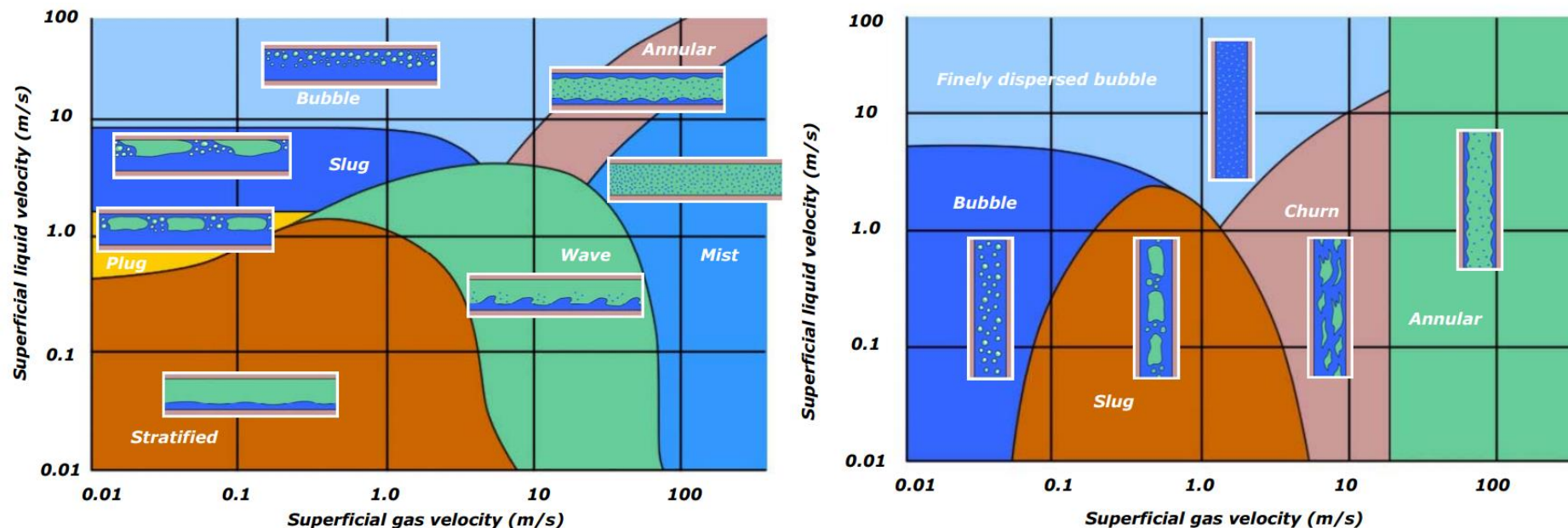
- Flow rate estimation via cross correlation, similar to Optical Sensing

$$Q_{TOT} = Q_{TOT} \cdot \phi_O + Q_{TOT} \cdot \phi_W + Q_{TOT} \cdot \phi_G$$

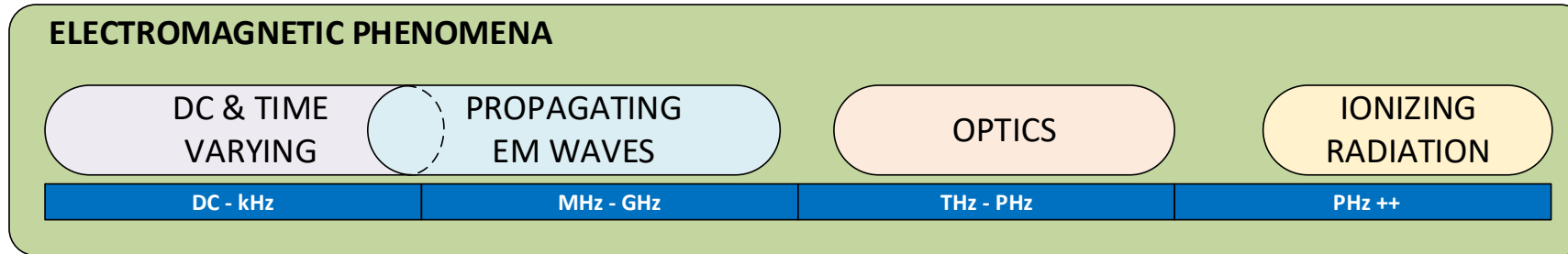


Ionizing Radiation

- Ideal response in homogenous mixtures, minimal cross section to interrogate to represent the total flow volume

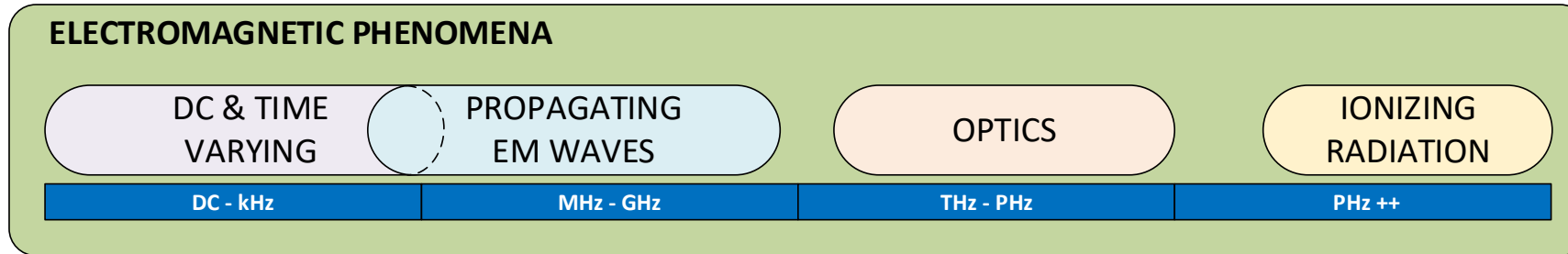


Conclusion & Acknowledgements



- Large variety electromagnetic phenomena across to discriminate phase fractions
- Limitation in available methods to directly measure flow rates
- This is not a complete list! We will cover more sensing domains in part two of this webinar series

Conclusion & Acknowledgements



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 - Aramco Services: Aramco Research Center – Houston, Sensors Development Team
 - Saudi Aramco: Exploration and Petroleum Engineering Advanced Research Center (EXPEC ARC), Production Technology Division
 - SPE Flow Measurement Technical Section